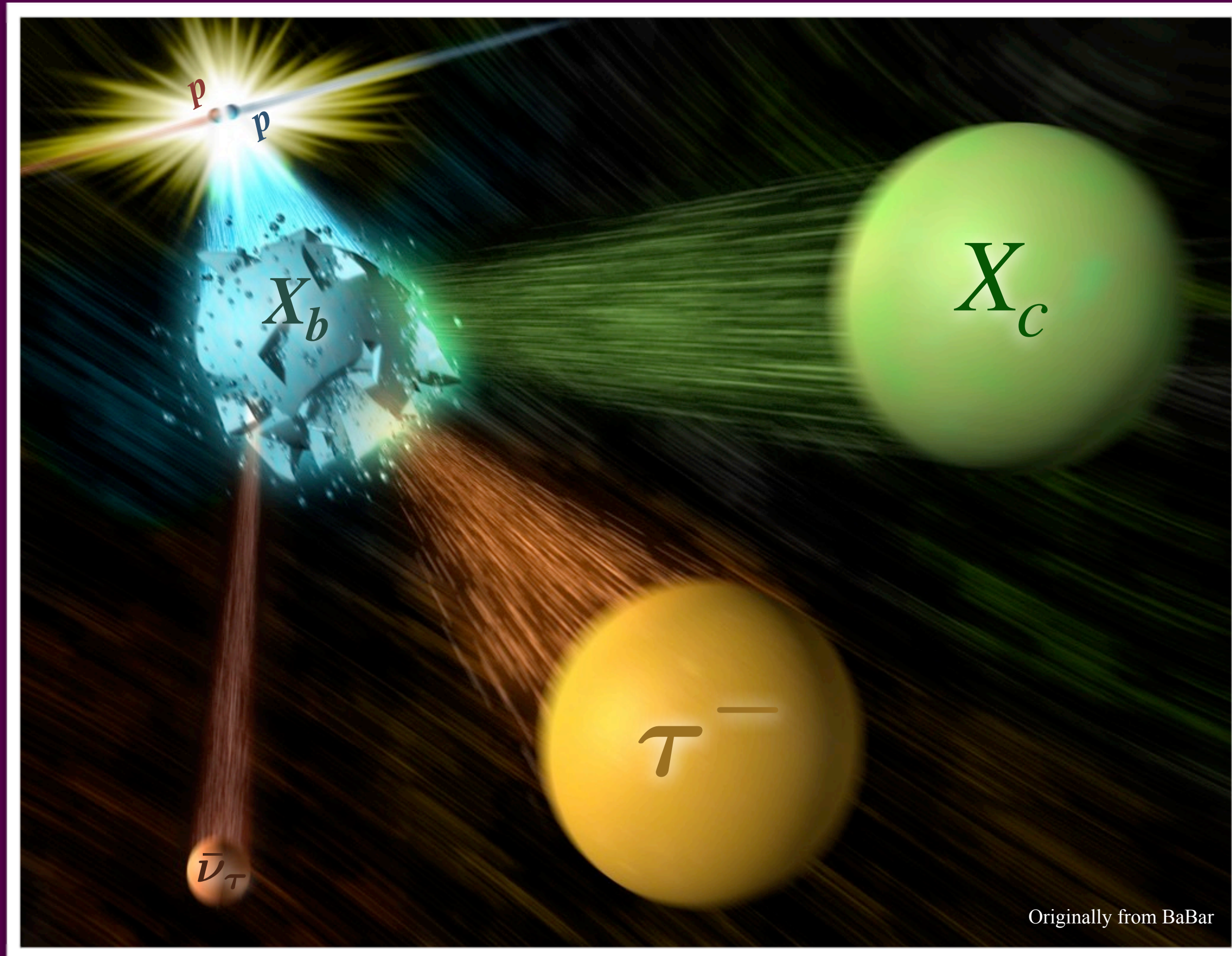


# LUV in charged-current b decays at LHCb



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29<sup>th</sup> September 2020

*Snowmass 2021*

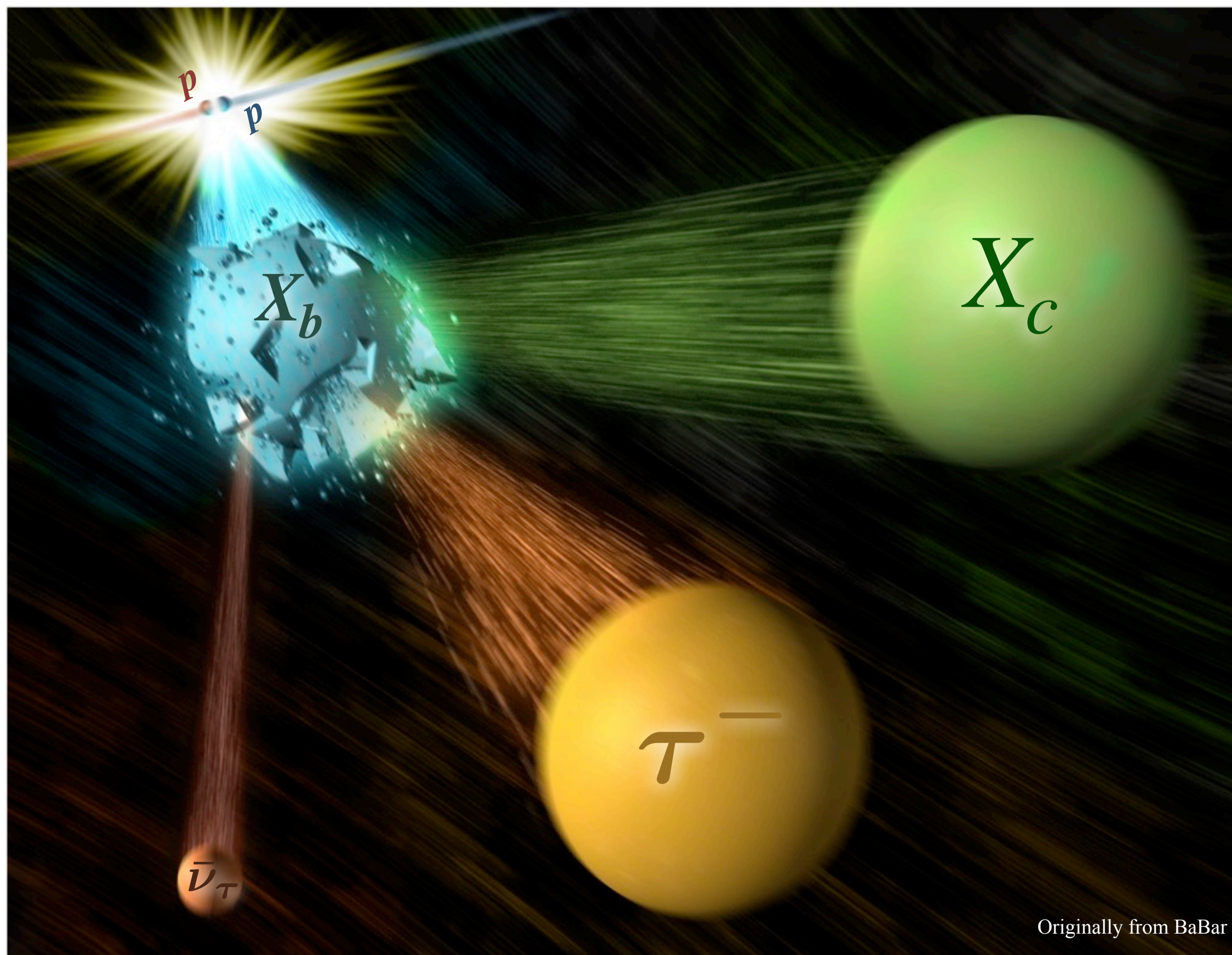
*RF1: Weak decays of b and c quarks*

*RF5: Charged Lepton Flavor Violation  
(electrons, muons and taus)*





LHCb has access to several interesting decays  
with a tree-level  $b \rightarrow c\tau\nu$  transition



Originally from BaBar

## ~ Brief introduction

- Current charged LUV measurements
- LHCb detector
- Vertex isolation

## ~ Features of LHCb measurements

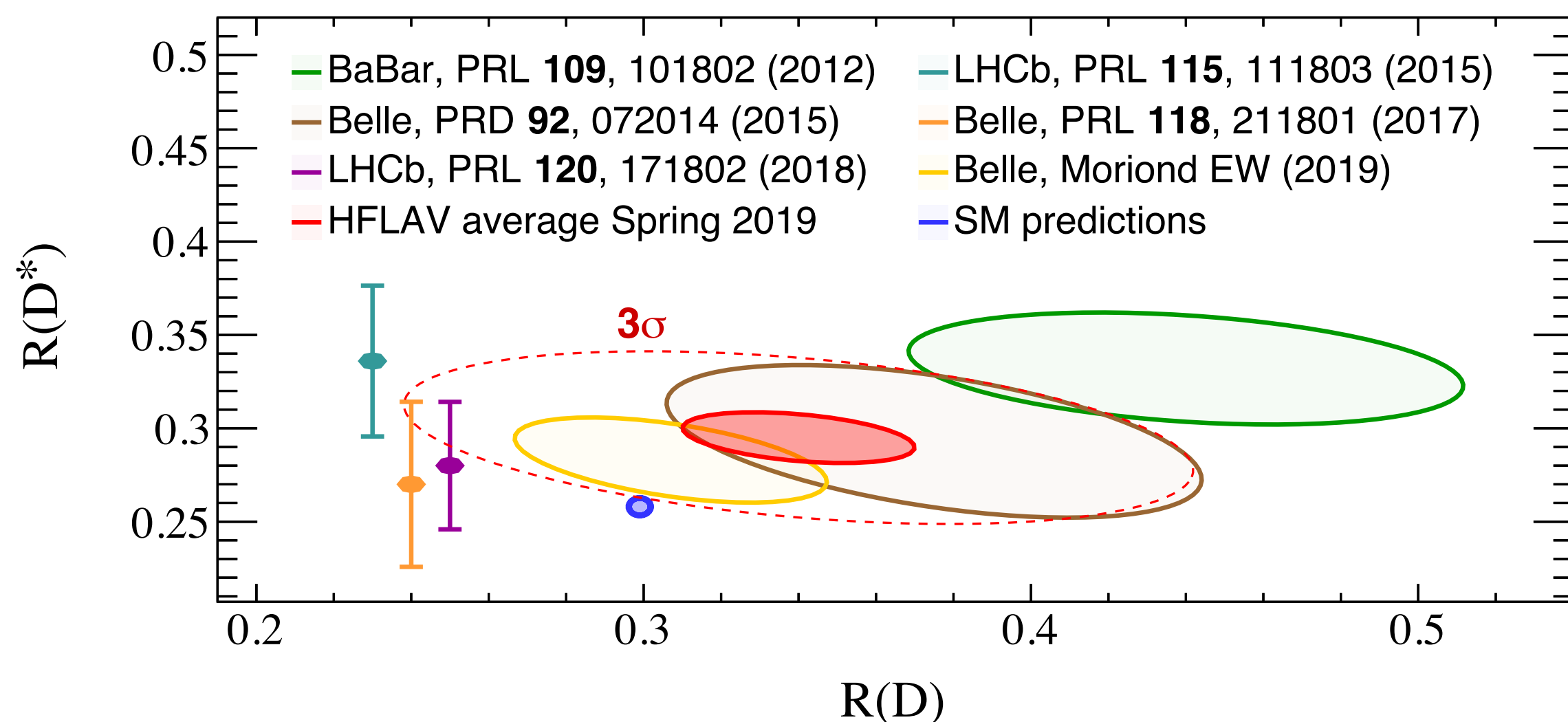
- Muonic  $\tau$  decay analyses
- Hadronic  $\tau$  decay analyses

## ~ Prospects for charged LUV at LHCb

- Possible precision on  $\mathcal{R}(X_c)$
- Measuring kinematic distributions



Experiment	$\tau$ decay	Tag	$\mathcal{R}(D)$	$\sigma_{\text{stat}}$ [%]	$\sigma_{\text{syst}}$ [%]	$\mathcal{R}(D^*)$	$\sigma_{\text{stat}}$ [%]	$\sigma_{\text{syst}}$ [%]	$\rho_{\text{stat}}/\rho_{\text{syst}}/\rho_{\text{tot}}$
<i>BABAR</i> <sup>a</sup>	$\mu\nu\nu$	Had.	$0.440 \pm 0.058 \pm 0.042$	13.1	9.6	$0.332 \pm 0.024 \pm 0.018$	7.1	5.6	$-0.45/-0.07/-0.31$
Belle <sup>b</sup>	$\mu\nu\nu$	Semil.	$0.307 \pm 0.037 \pm 0.016$	12.1	5.2	$0.283 \pm 0.018 \pm 0.014$	6.4	4.9	$-0.53/-0.51/-0.51$
Belle <sup>c</sup>	$\mu\nu\nu$	Had.	$0.375 \pm 0.064 \pm 0.026$	17.1	7.1	$0.293 \pm 0.038 \pm 0.015$	13.0	5.2	$-0.56/-0.11/-0.50$
Belle <sup>d</sup>	$\pi\nu$	Had.	—	—	—	$0.270 \pm 0.035^{+0.028}_{-0.025}$	13.0	$^{+10.3}_{-9.3}$	—
LHCb <sup>e</sup>	$\pi\pi\pi\nu$	—	—	—	—	$0.280 \pm 0.018 \pm 0.029$	6.4	10.4	—
LHCb <sup>f</sup>	$\mu\nu\nu$	—	—	—	—	$0.336 \pm 0.027 \pm 0.030$	8.0	8.9	—
<b>Average<sup>g</sup></b>	—	—	<b><math>0.340 \pm 0.027 \pm 0.013</math></b>	<b>7.9</b>	<b>3.8</b>	<b><math>0.295 \pm 0.011 \pm 0.008</math></b>	<b>3.7</b>	<b>2.7</b>	<b><math>-0.39/-0.34/-0.38</math></b>



~ **Significant deviation** in  $\mathcal{R}(D^{(*)})$  from SM

→ Measurements from BaBar, Belle, and LHCb

~ Additionally, LHCb measures

$$\mathcal{R}(J/\Psi) = 0.71 \pm 0.17 \pm 0.18$$

~ Any anomaly will need to be characterized with **independent rate** and **distribution measurements**

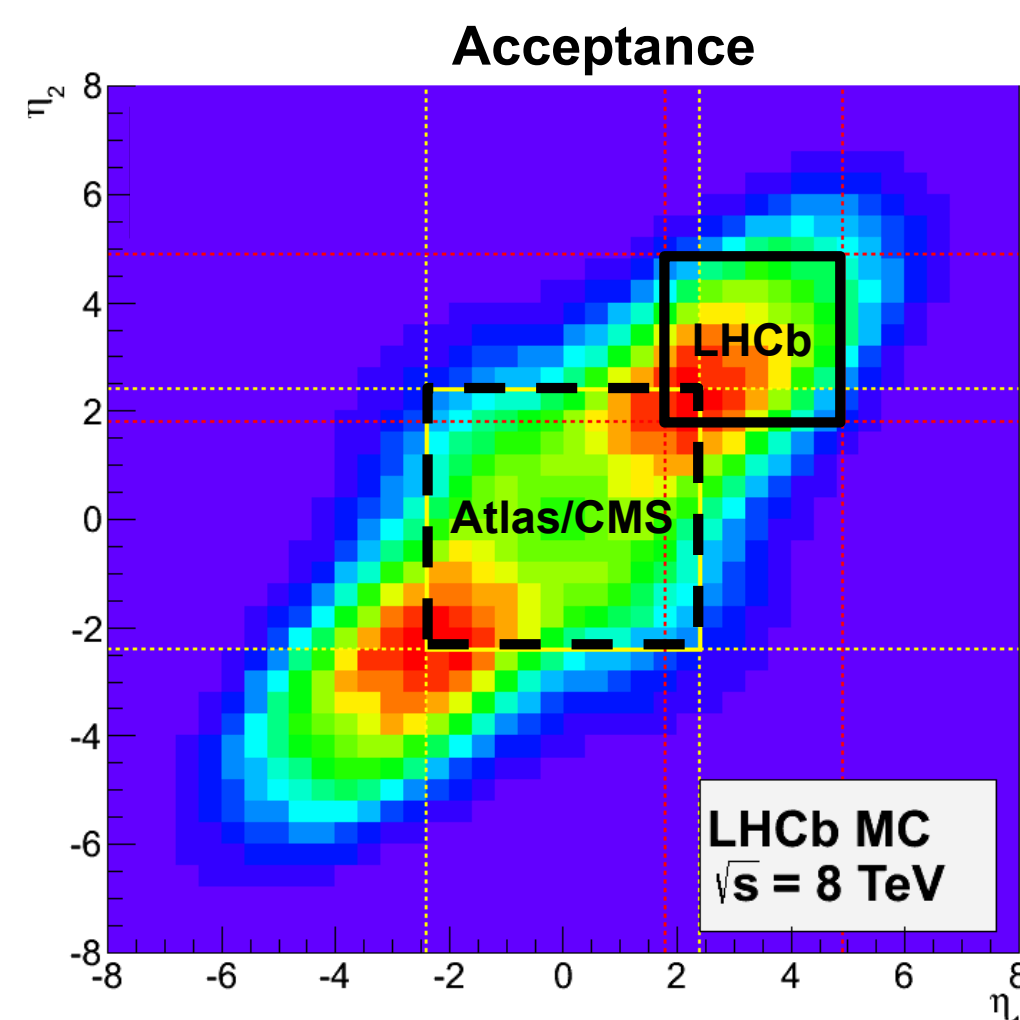
~ Is **LHCb systematics limited** already?

→ **No!** Let's see how



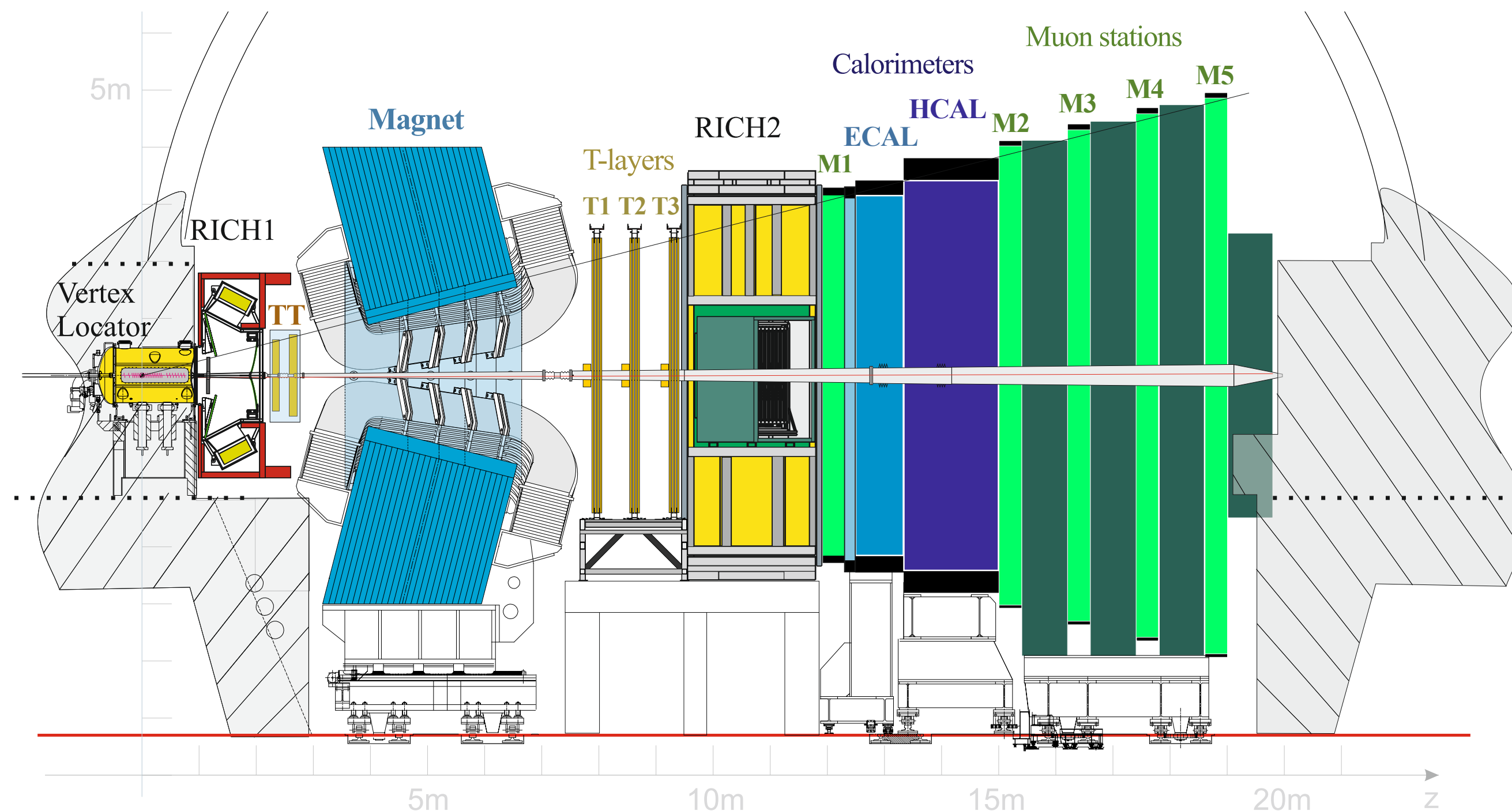
~ GPD with focus on **flavor physics**

- 25% of  $b\bar{b}$  production with 4% of solid angle ( $2 \leq \eta \leq 5$ )
- 100k b-hadrons produced every second

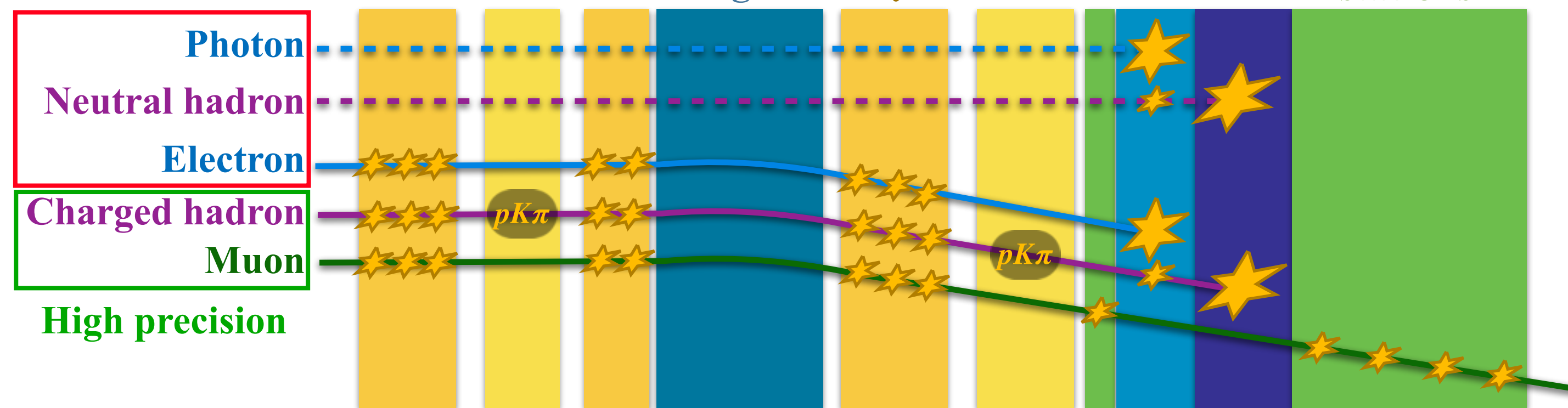


~ Excellent **secondary vertex reconstruction**

~ PID:  $\pi$ , K, p,  $\mu$

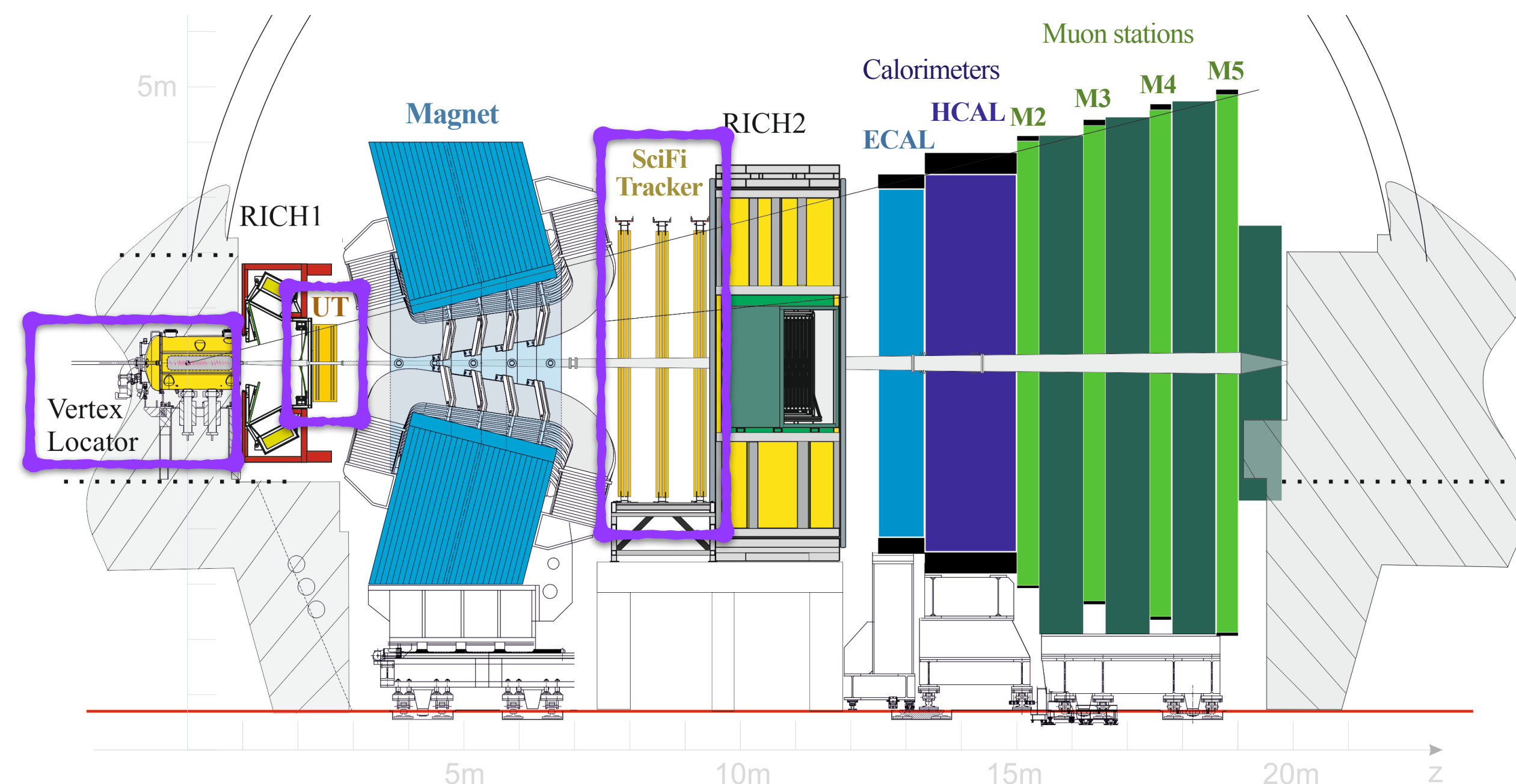
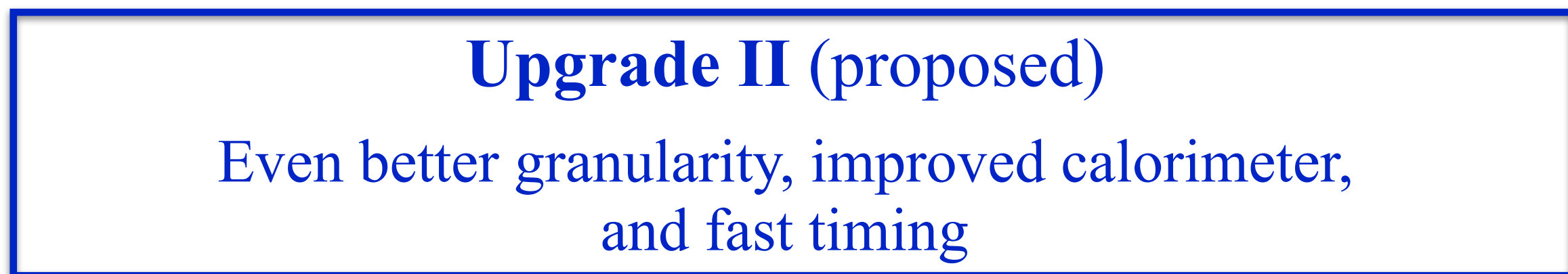
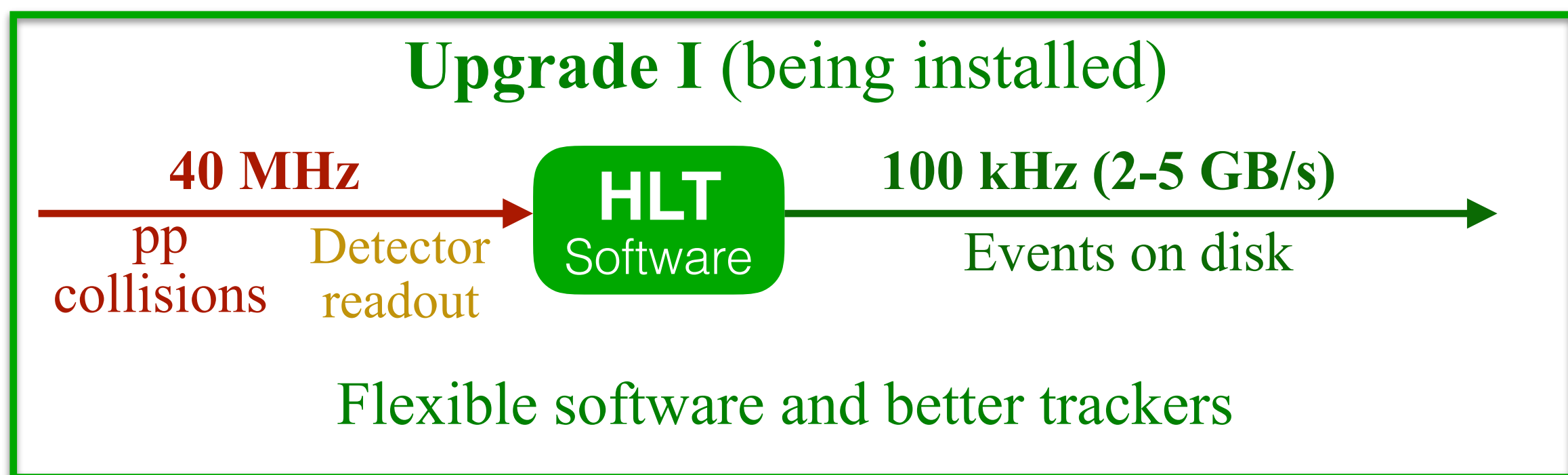
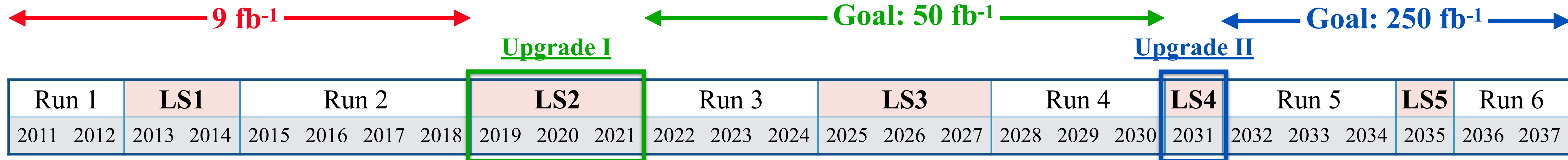


If there is no other option





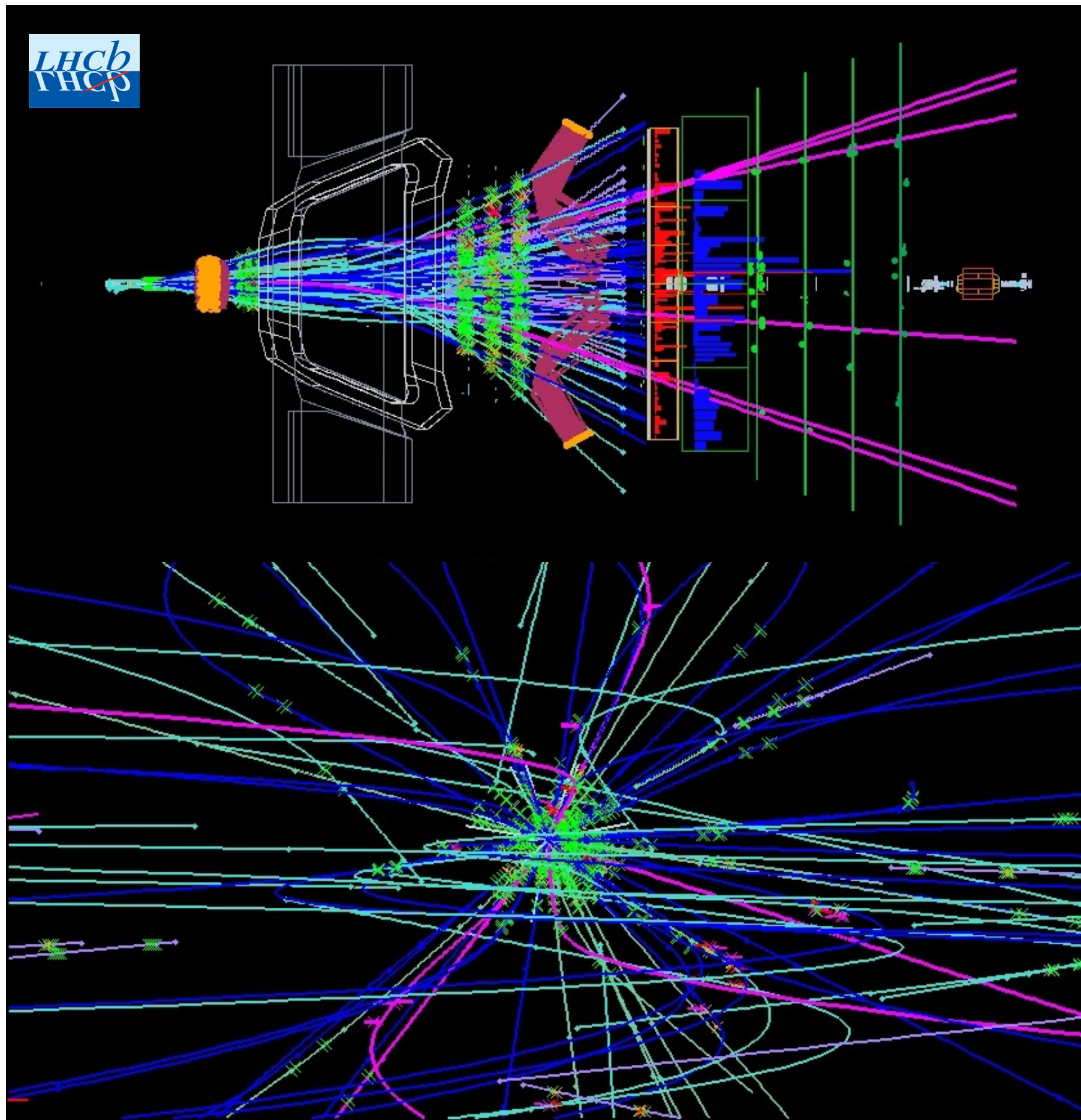
# Upgrades





$$pp \rightarrow X_b B_s^0 X$$

$$B_s^0 \rightarrow \mu^+ \mu^-$$



## B-factory advantages

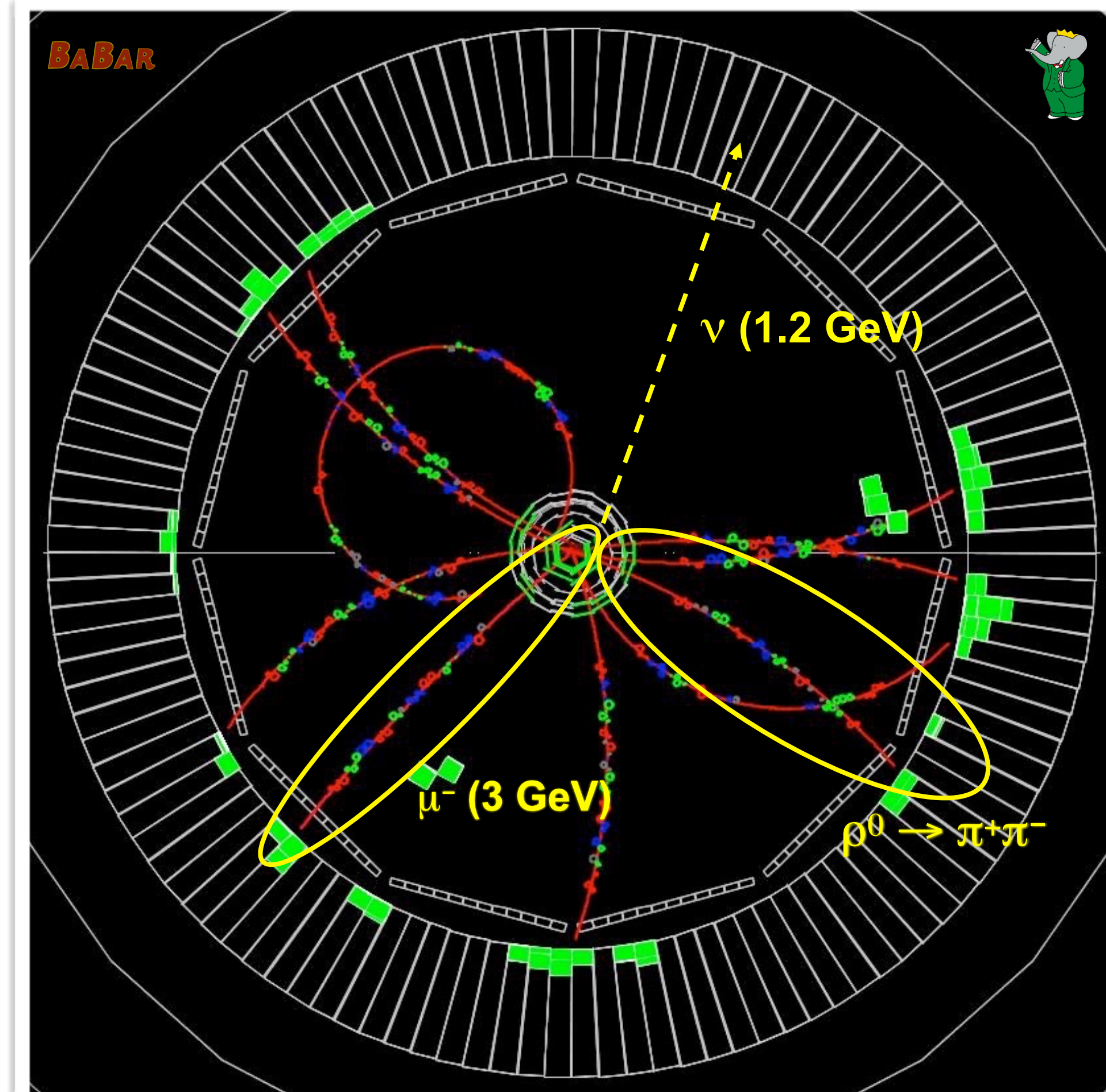
Lower backgrounds  
Collision momentum known  
Neutrals and electron reco

## LHCb advantages

Higher statistics  
All b-hadron species  
Larger boost

$$e^+ e^- \rightarrow B_{\text{tag}}^+ B_{\text{sig}}^-$$

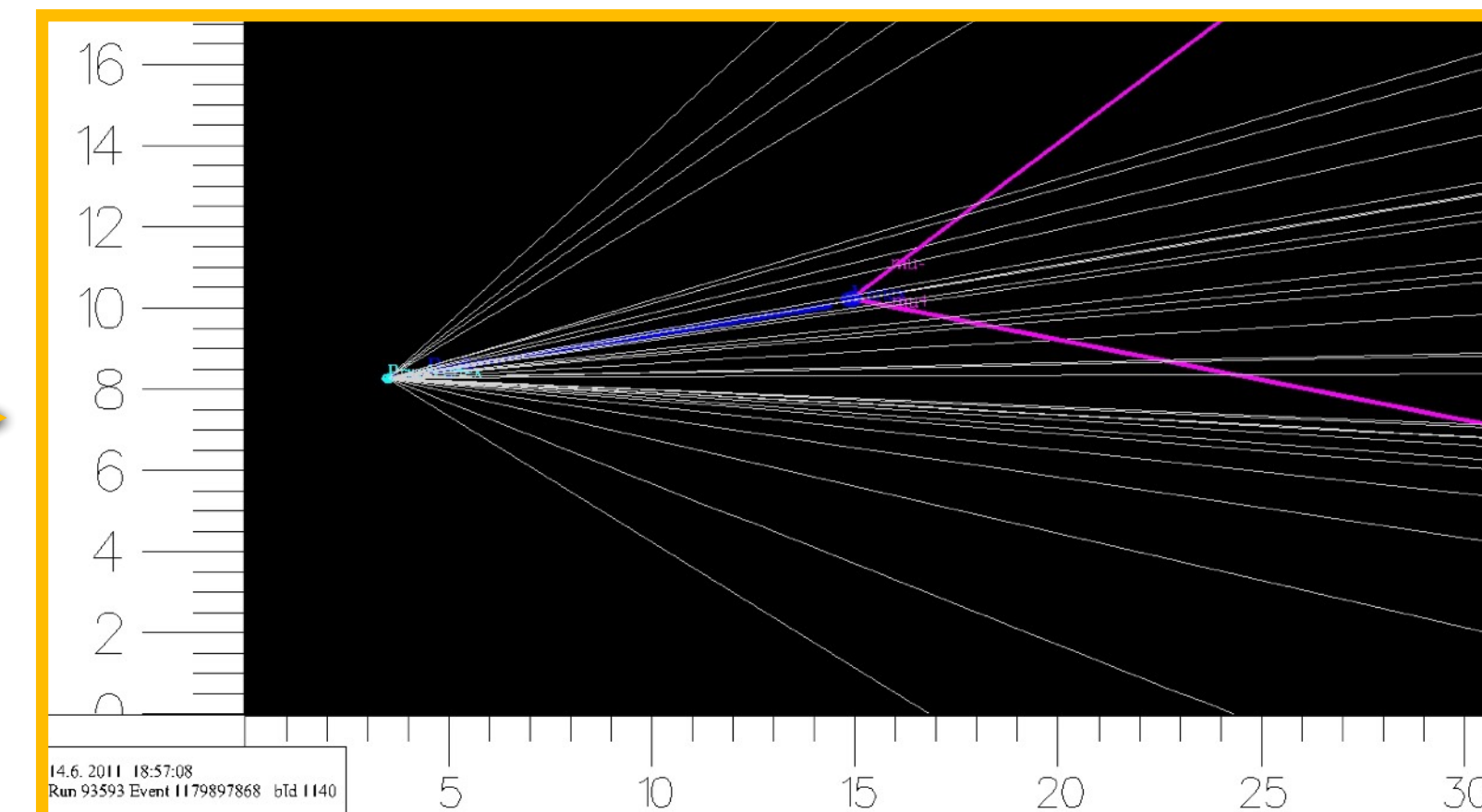
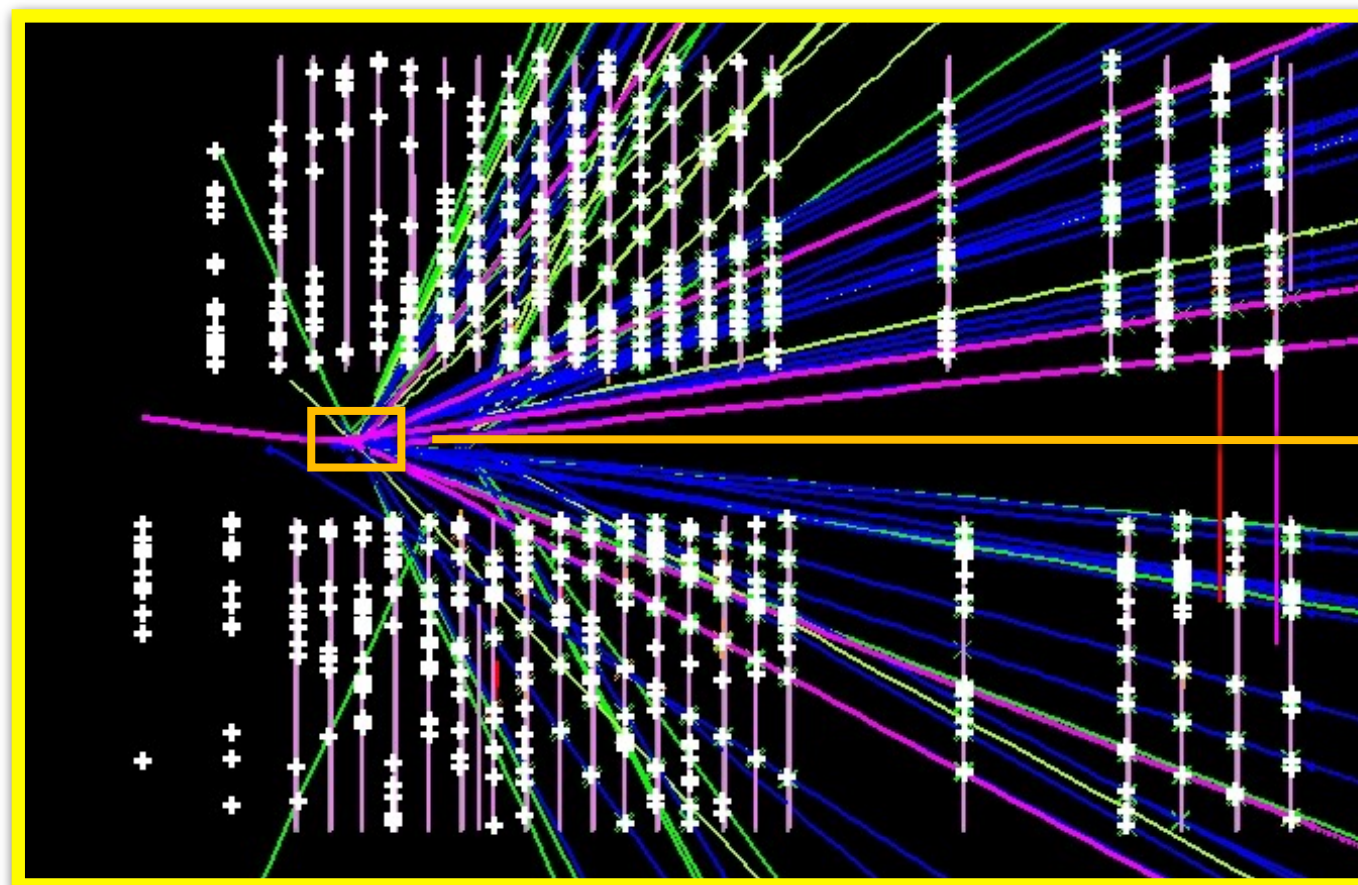
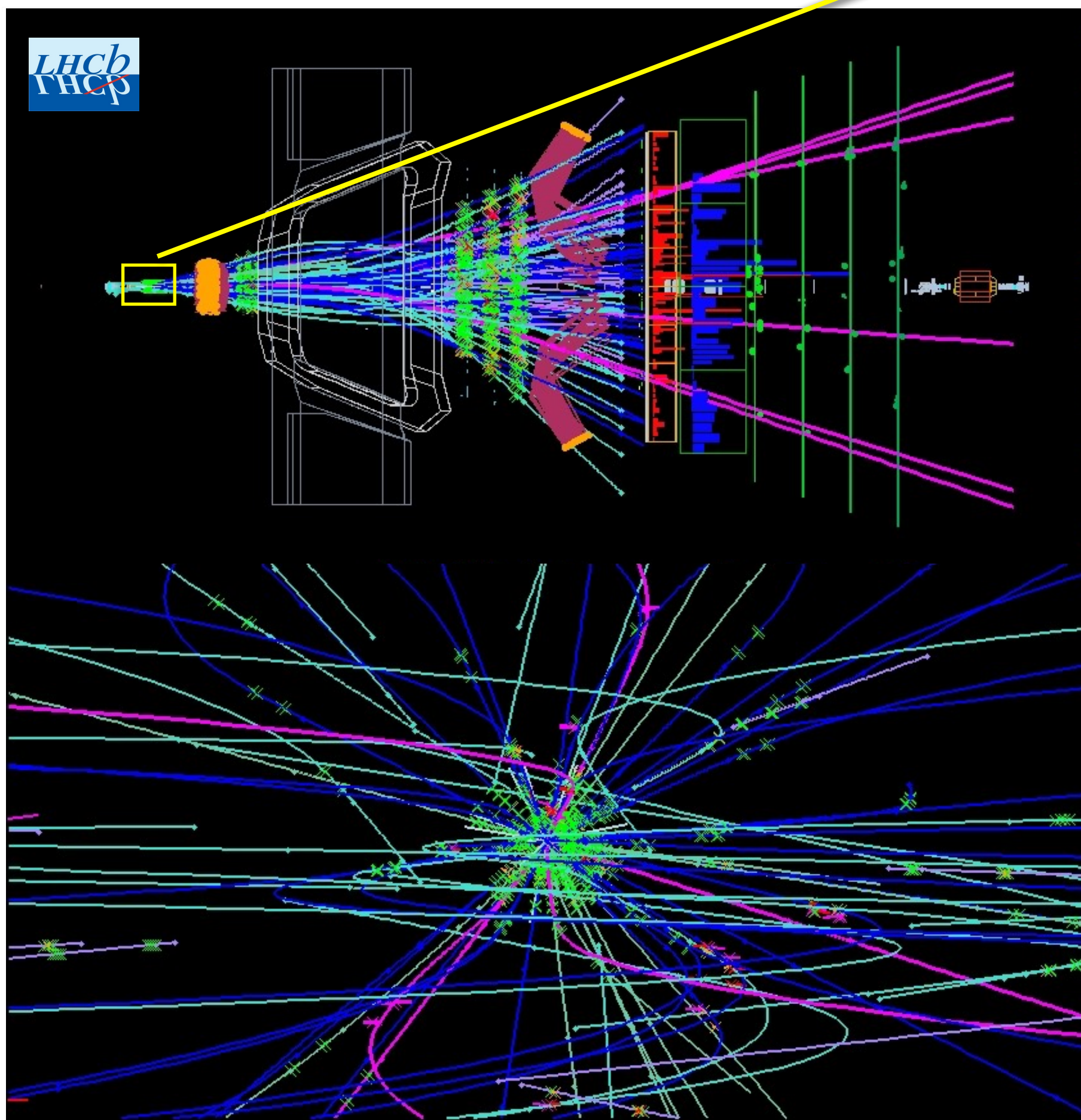
$$B^- \rightarrow \rho^0 \mu^- \nu_\mu$$





$$pp \rightarrow X_b B_s^0 X$$

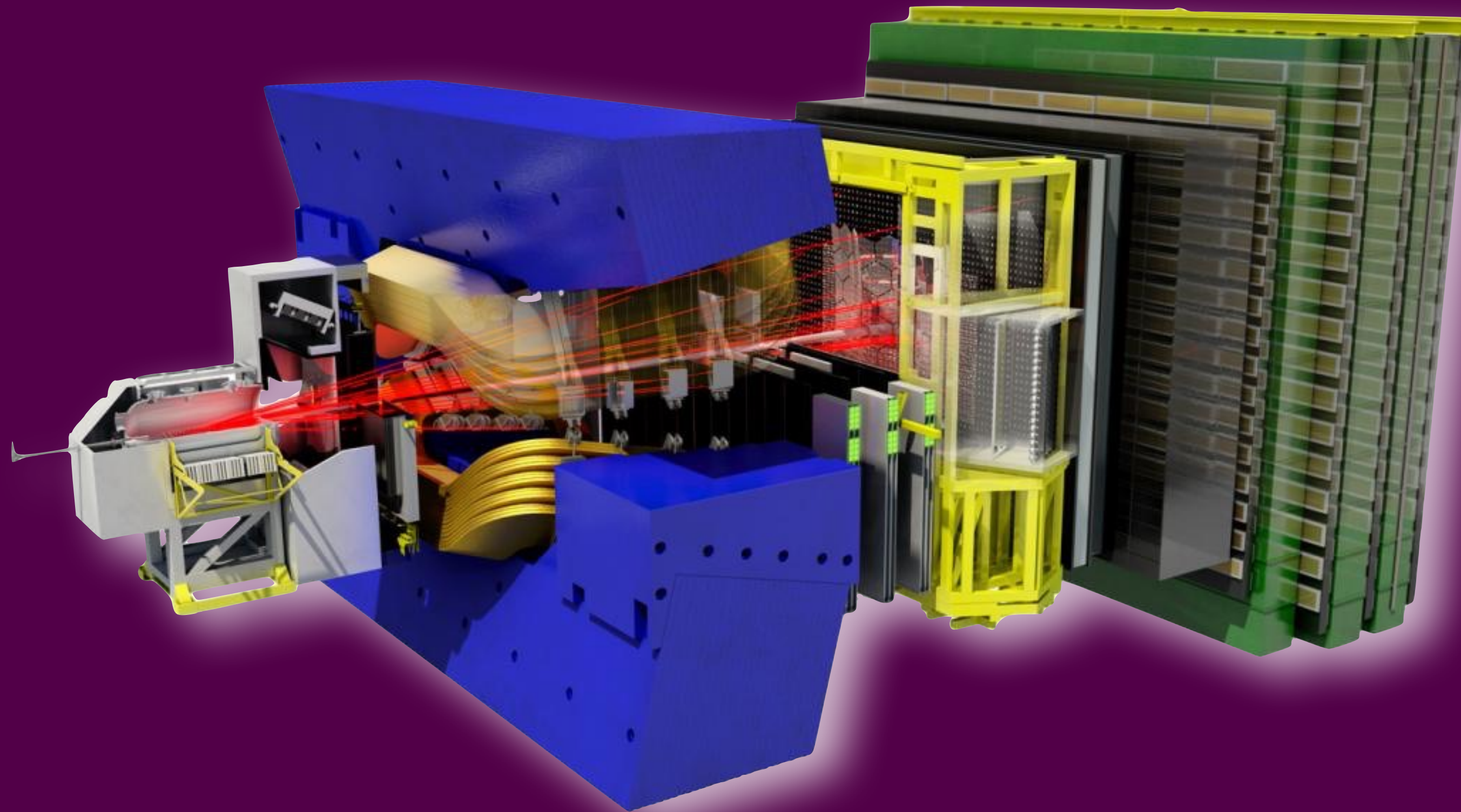
$$B_s^0 \rightarrow \mu^+ \mu^-$$



- ~ Superb vertexing by VELO (in vacuum)
  - ➔ Only 8.2 mm from IP, 300  $\mu\text{m}$  of material
  - ➔ Reduced to 5.1 mm from IP, 150  $\mu\text{m}$  of material in upgrade
- ~ **B mesons fly several cm** thanks to large boost
- ~ Developed **isolation BDT for  $\mathcal{R}(D^*)$**  measurement
  - ➔ Assign probability of track coming from B vertex
  - ➔  $\text{IPX}_{\text{PV}}^2$ ,  $\text{IPX}_{\text{B}}^2$ ,  $p_{\text{T}}$ , track angle, refitted B vertex with track



# Features of LHCb measurements





~ **Same visible final state for signal/normalization**

when  $\tau^- \rightarrow \mu^- \nu_\tau \bar{\nu}_\mu$  used

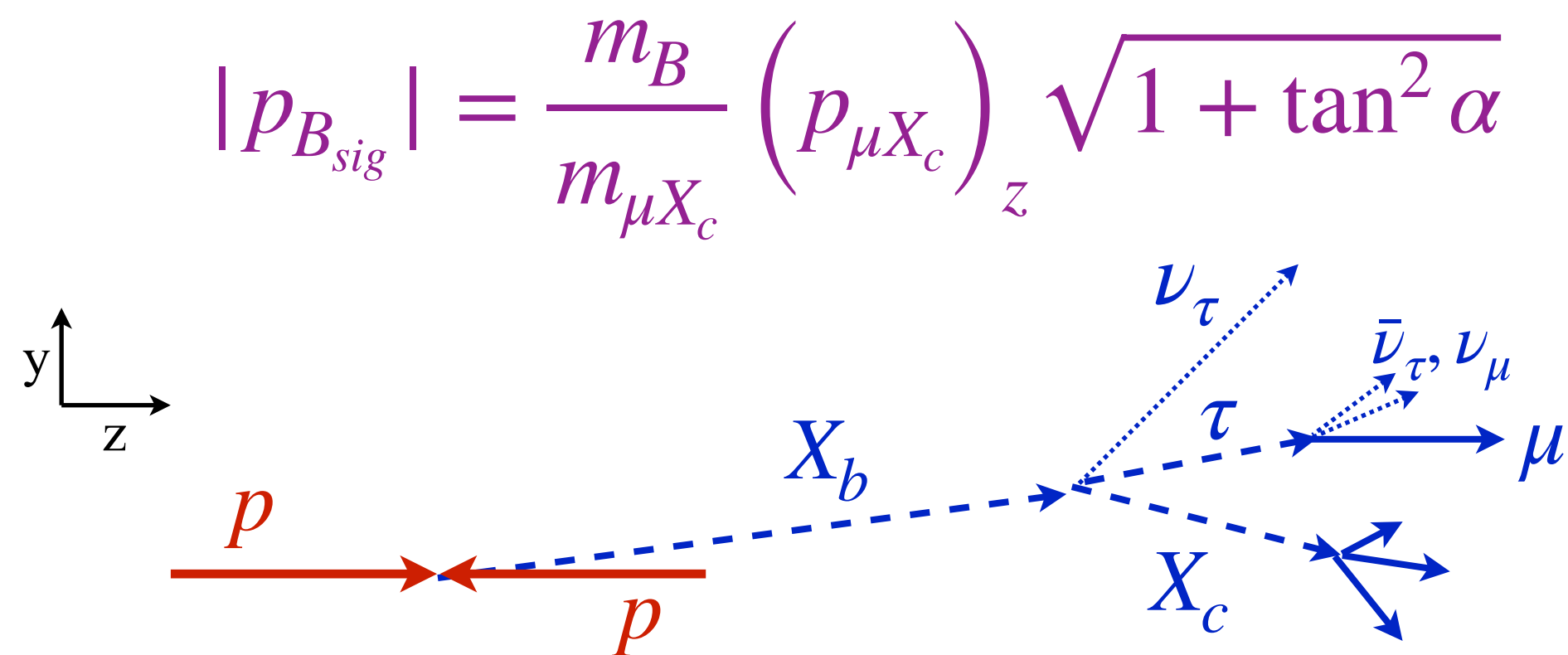
→ But  $B \rightarrow D^{(*)} \tau \nu$  has 3 neutrinos, while  $B \rightarrow D^{(*)} \ell \nu$  only 1

~ B-factories effectively reconstruct  $p_{B_{sig}}$  with B-tagging

→  $p_{B_{sig}} = p_{e^+e^-} - p_{B_{tag}}$  allows you calculate  $p_{miss} = p_{B_{sig}} - p_{D^{(*)}} - p_\ell$

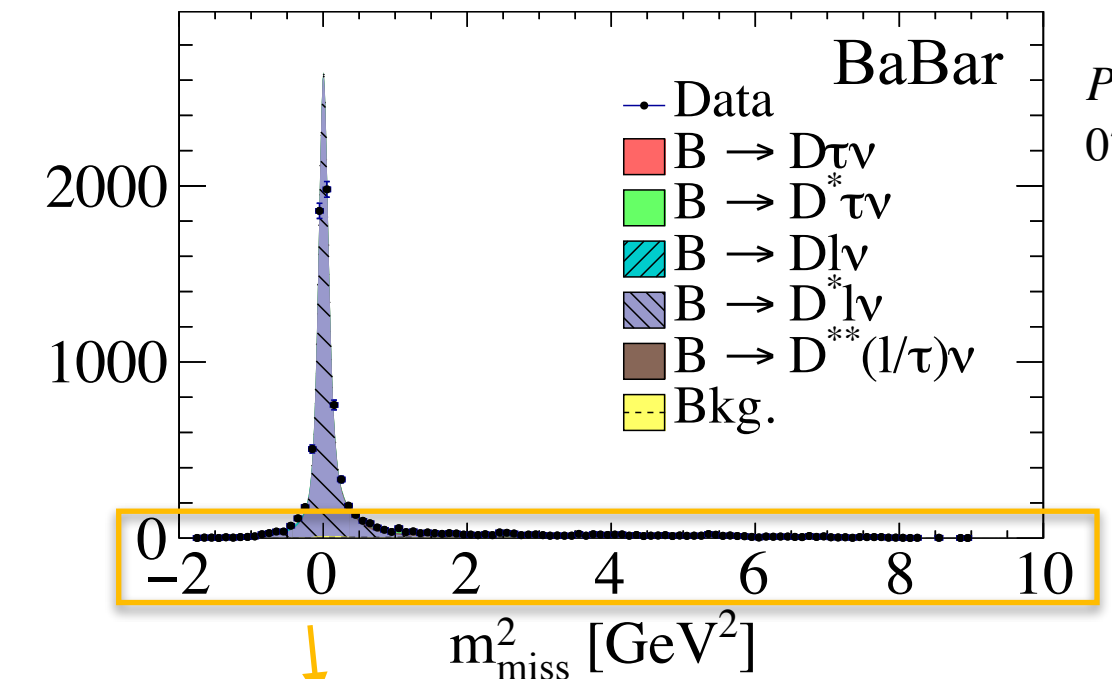
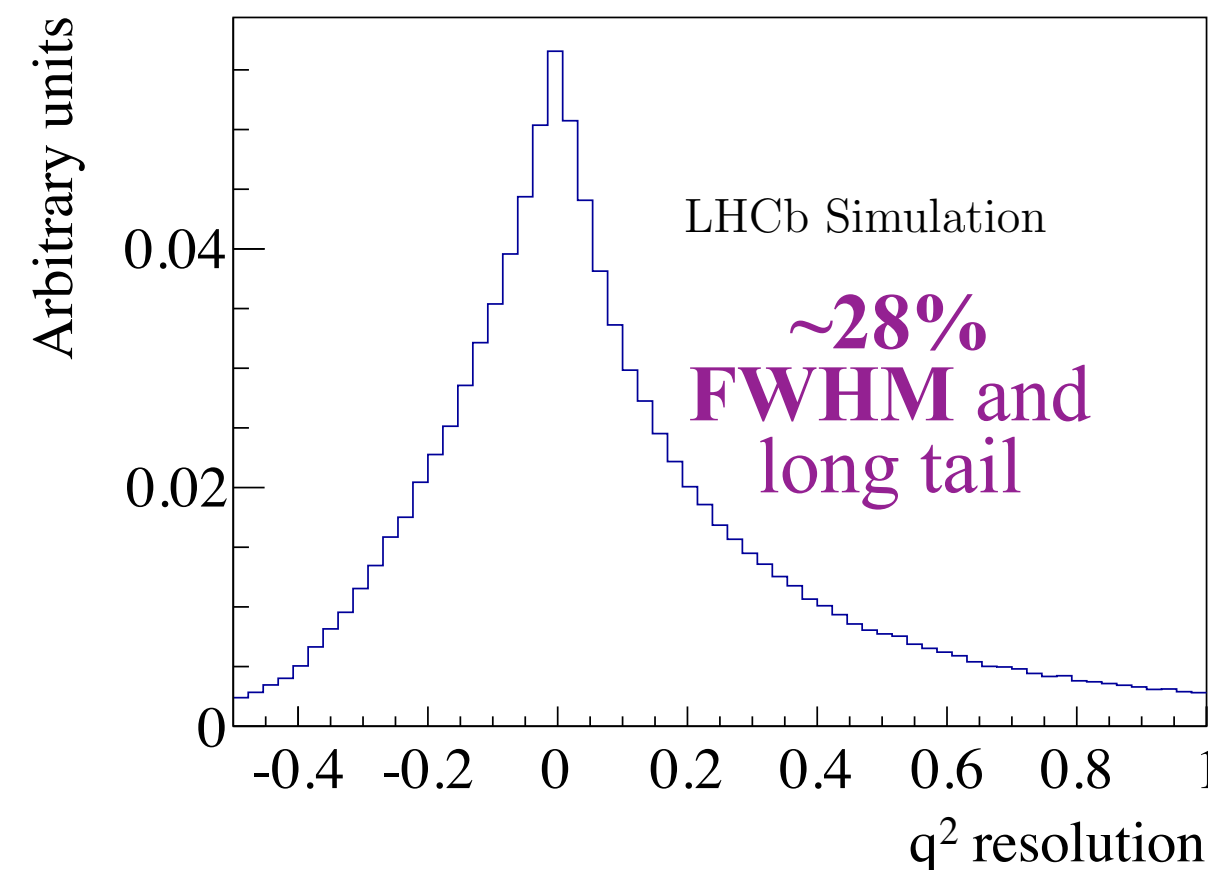
~ LHCb estimates  $p_{X_b}$  with RFA

→ Good approximation thanks to large  $X_b$  boost

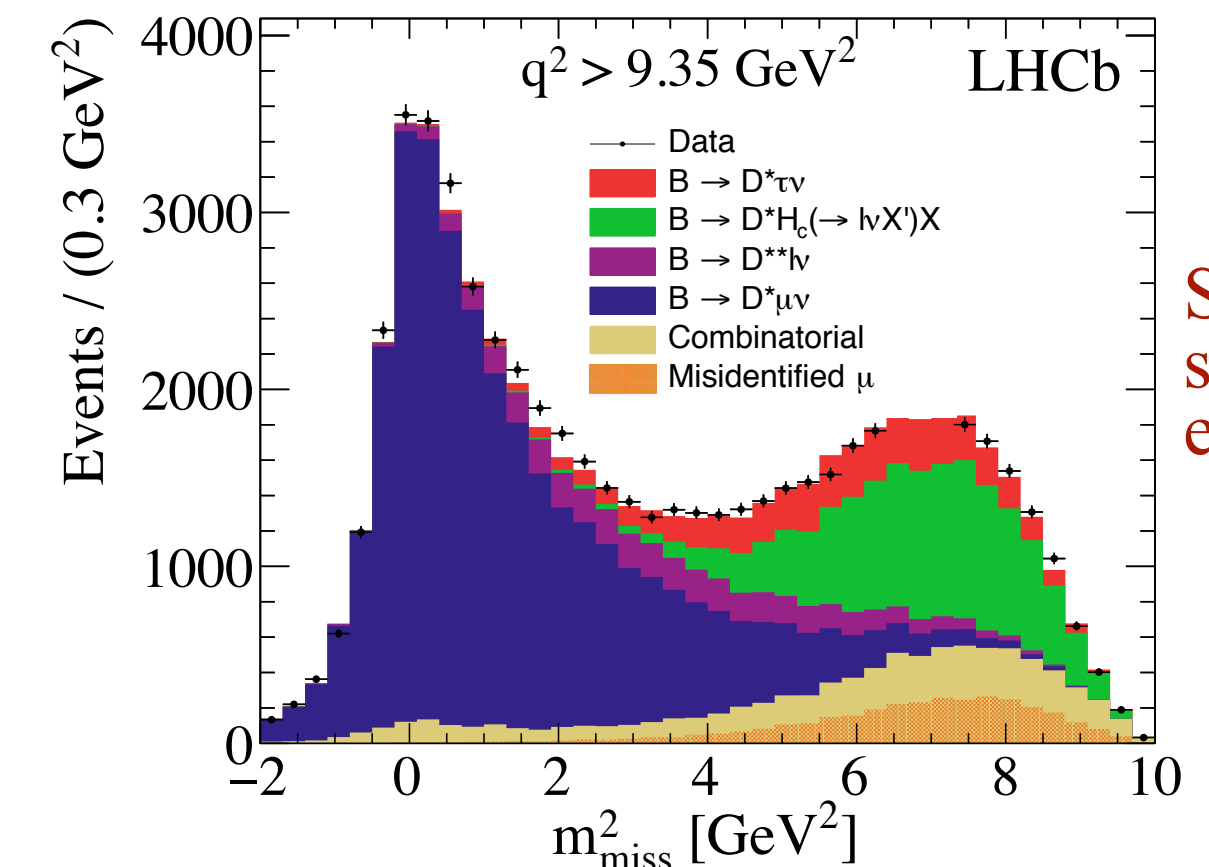
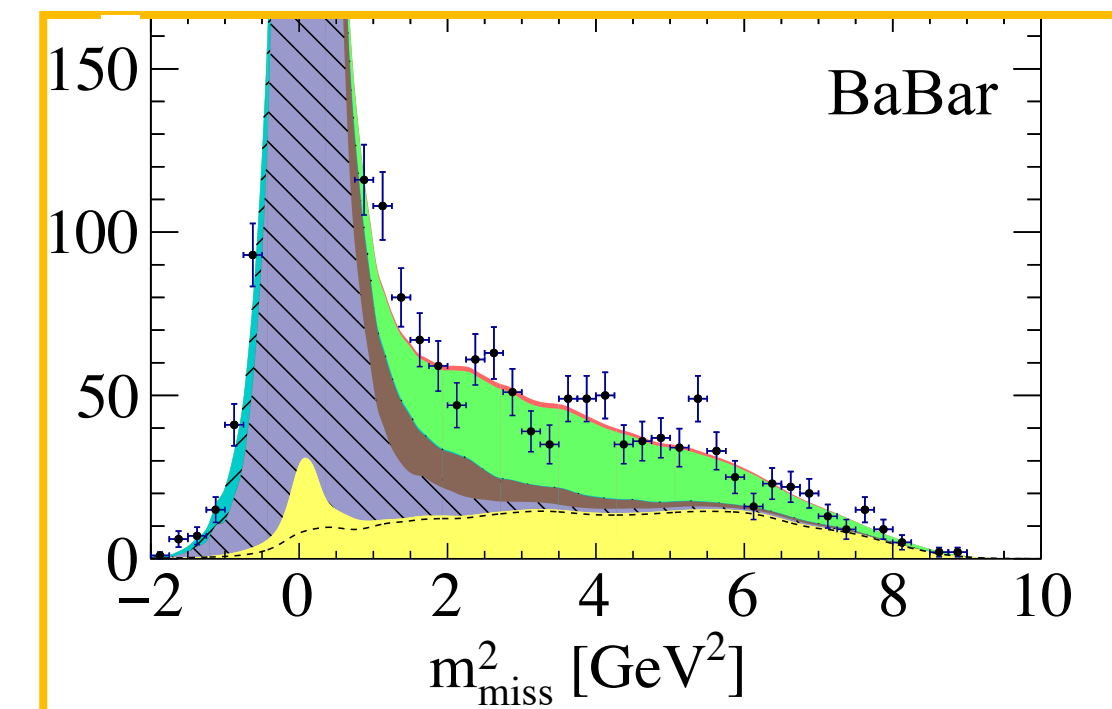


$$|p_{B_{sig}}| = \frac{m_B}{m_{\mu X_c}} \left( p_{\mu X_c} \right)_z \sqrt{1 + \tan^2 \alpha}$$

*Phys. Rev. Lett.* **115**, 111803 (2015)



*Phys. Rev. D* **88**, 072012 (2013)

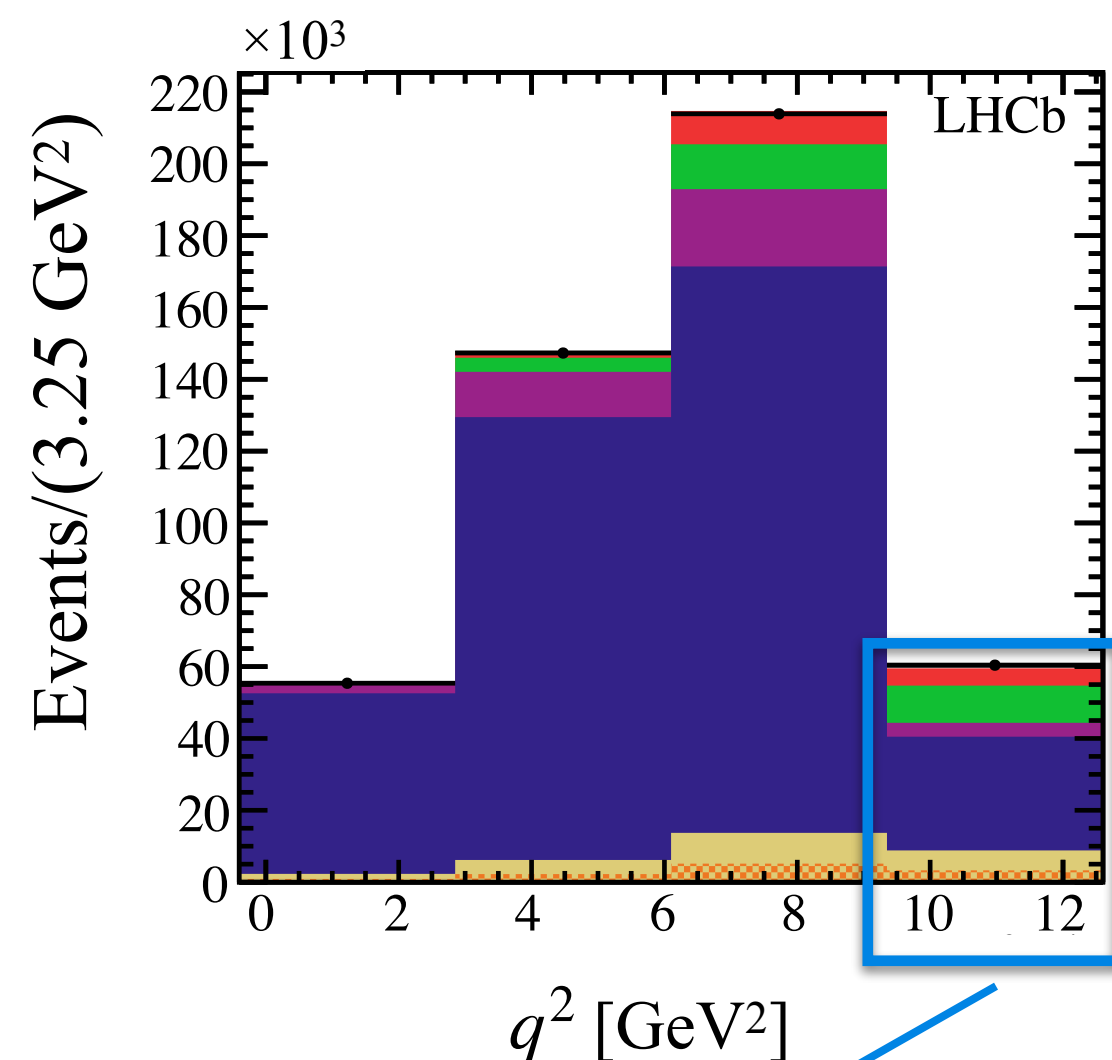


Sufficient separation if enough stats



*Phys. Rev. Lett.* **115**,  
111803 (2015)

— Data  
■  $B \rightarrow D^* \tau \nu$   
■  $B \rightarrow D^* H_c (\rightarrow \nu X') X$   
■  $B \rightarrow D^{**} \nu$   
■  $B \rightarrow D^* \mu \nu$   
■ Combinatorial  
■ Misidentified  $\mu$



~ Proof of concept measurement in 2015

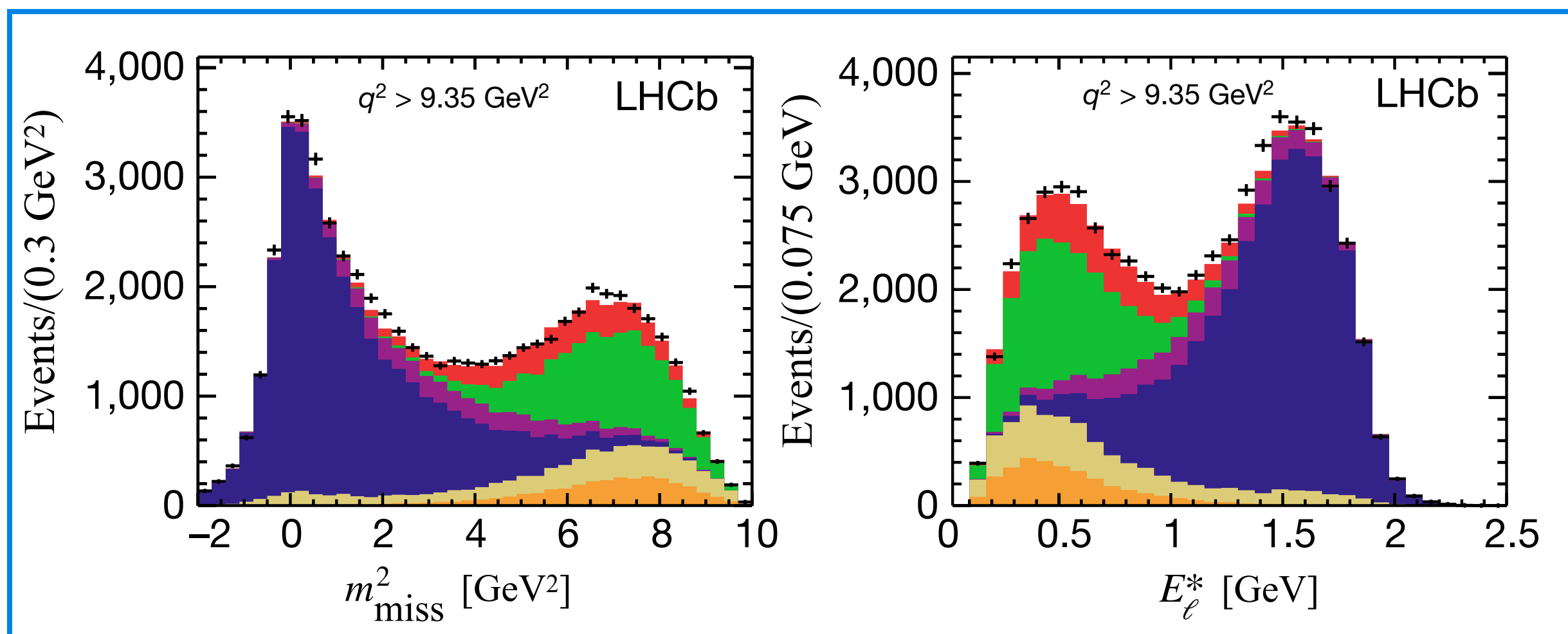
→ Not clear if possible beforehand!

~ 3D simultaneous fit to  $q^2$ ,  $m_{miss}^2$ , and  $E_\mu^*$

$$\mathcal{R}(D^*) = \frac{\mathcal{B}(\bar{B} \rightarrow D^* \tau \nu_\tau)}{\mathcal{B}(\bar{B} \rightarrow D^* \mu \nu_\mu)}$$

Decay mode used in <i>BABAR</i>		$\mathcal{B}(\%)$	
$D^{*+}$	$\rightarrow D^0 \pi^+$	67.7	LHCb
	$\rightarrow D^+ \pi^0$	30.7	
Total		98.4	
$D^0$	$\rightarrow K^- \pi^+ \pi^0$	13.9	LHCb
	$\rightarrow K^- \pi^+ \pi^- \pi^+$	8.1	
	$\rightarrow K_S^0 \pi^+ \pi^- \pi^0$	5.4	
	$\rightarrow K^- \pi^+$	3.9	
	$\rightarrow K_S^0 \pi^+ \pi^-$	2.9	
	$\rightarrow K_S^0 \pi^0$	1.2	
	$\rightarrow K^+ K^-$	0.4	
	Total	35.8	

**LHCb only  
reconstructed**  
 $D^{*+} \rightarrow D^0 \pi^+$  with  
 $D^0 \rightarrow K^- \pi^+$

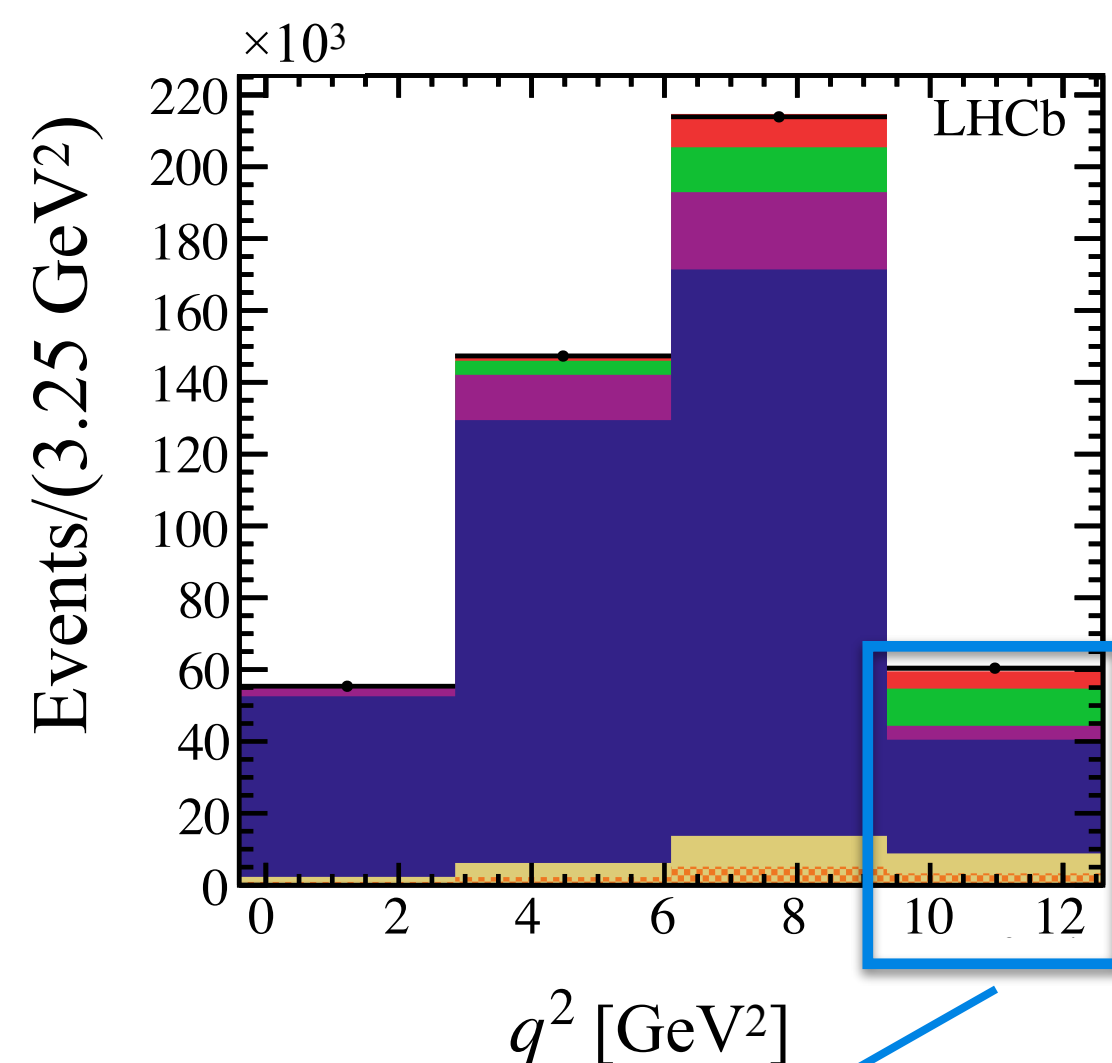


Could more than **double stats** adding  
other fully charged final states



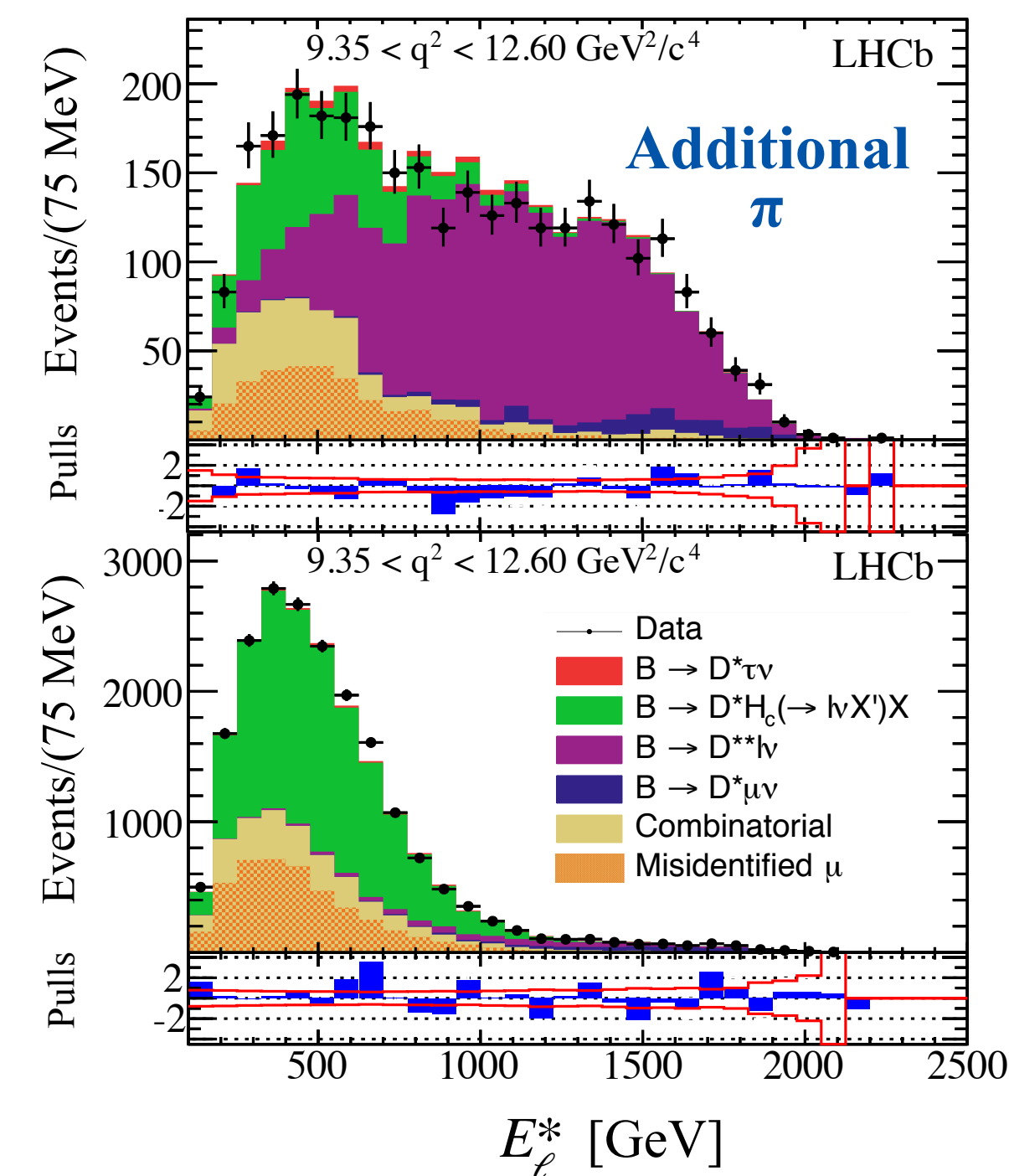
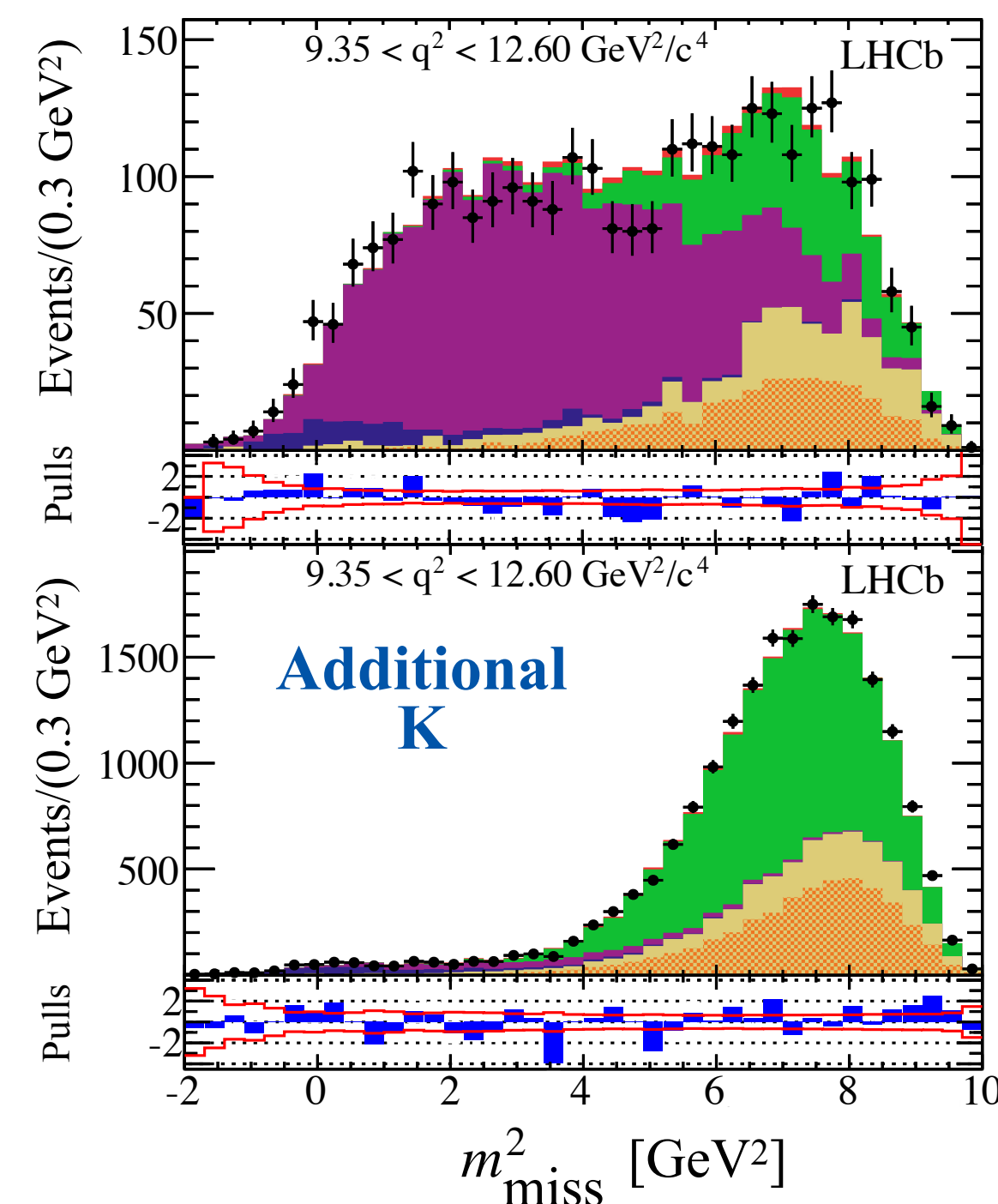
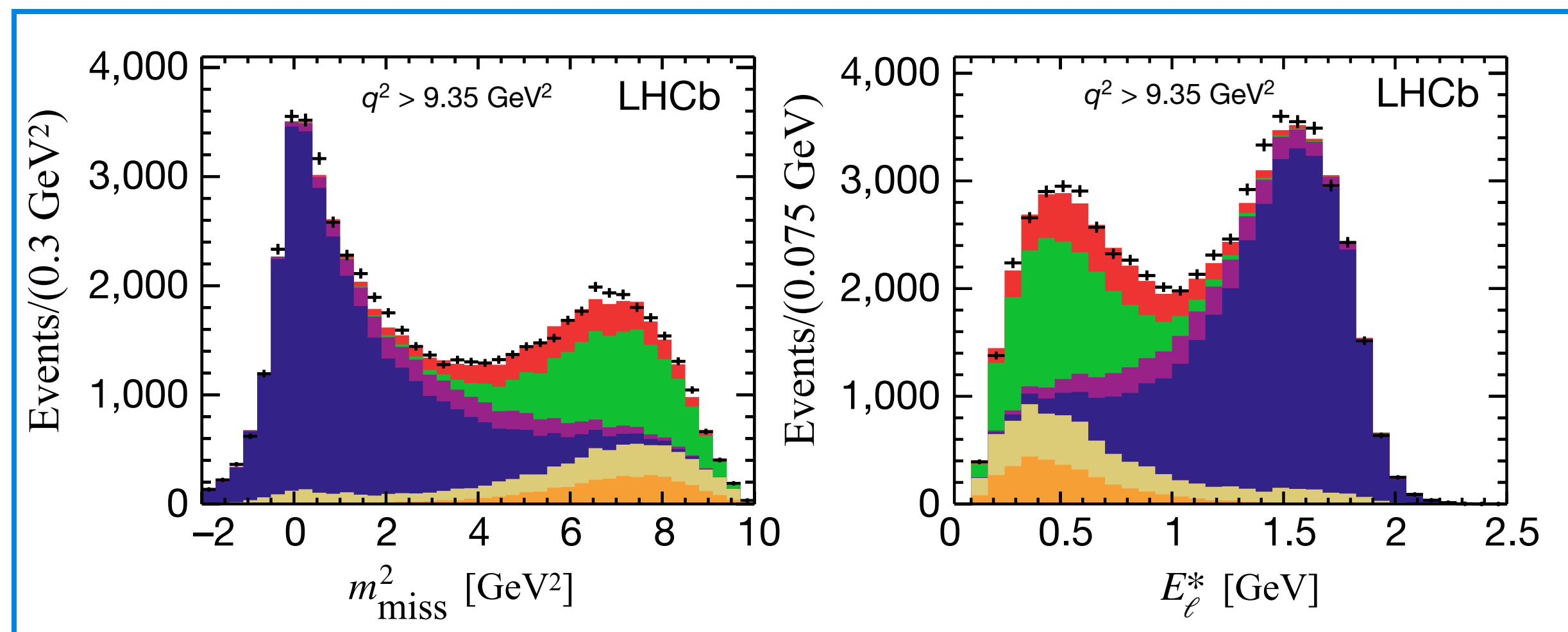
*Phys. Rev. Lett.* **115**,  
111803 (2015)

— Data  
■  $B \rightarrow D^* \tau \nu$   
■  $B \rightarrow D^* H_c (\rightarrow \ell \nu X) X$   
■  $B \rightarrow D^{**} \ell \nu$   
■  $B \rightarrow D^* \mu \nu$   
■ Combinatorial  
■ Misidentified  $\mu$



~ **Control samples instrumental** to determine bkg.

- Additional  $K$ :  $B \rightarrow D^* H_c X$
- Additional  $\pi$ :  $B \rightarrow D^{**} (\rightarrow D^* \pi) \ell \nu$
- Additional  $\pi\pi$ :  $B \rightarrow D^{**} (\rightarrow D^* \pi\pi) \ell \nu$





Contribution	Uncert. [%]
Simulated sample size	6.2
Misidentified $\mu$ bkg.	4.8
$\bar{B} \rightarrow D^{**}(\ell^-/\tau^-)\bar{\nu}$ bkg.	2.1
Signal/norm. FFs	1.9
Hardware trigger	1.8
$DD$ bkg.	1.5
MC/data correction	1.2
Combinatorial bkg.	0.9
PID	0.9
<b>Total systematic</b>	<b>8.9</b>
<b>Total statistical</b>	<b>8.0</b>
<b>Total</b>	<b>12.0</b>

**FastSim** gives a factor of **10×**, which **only covers Run 2**  
*Hopefully will scale with data*, but it will require **faster FastSim**,  
**faster hardware progress**, or **more restrictive generator cuts**

**Data driven procedure** developed for  $\mathcal{R}(J/\Psi)$  **will reduce it**  
to **less than 2%** in updated measurement

**Primarily data driven**

**Disappears in Run 3**

**Primarily data driven**

**Primarily data driven**

Note that only 30% of the  
systematic uncertainty is  
multiplicative, so the  
majority does not scale  
with central value

Generally, **systematic uncertainties** will **come down with data**, but there will probably be a  
**0.5-3% systematics floor** from the extrapolations  
to signal region and certain assumptions



$$\mathcal{R}(J/\Psi) = \frac{\mathcal{B}(\bar{B}_c \rightarrow J/\Psi \tau \nu_\tau)}{\mathcal{B}(\bar{B}_c \rightarrow J/\Psi \mu \nu_\mu)}$$

~ Very similar strategy to muonic  $\mathcal{R}(D^{*+})$

→ Add **decay time** to separate  $B_c$  from  $B_{u,d}$

→ **Main background is muon misID**

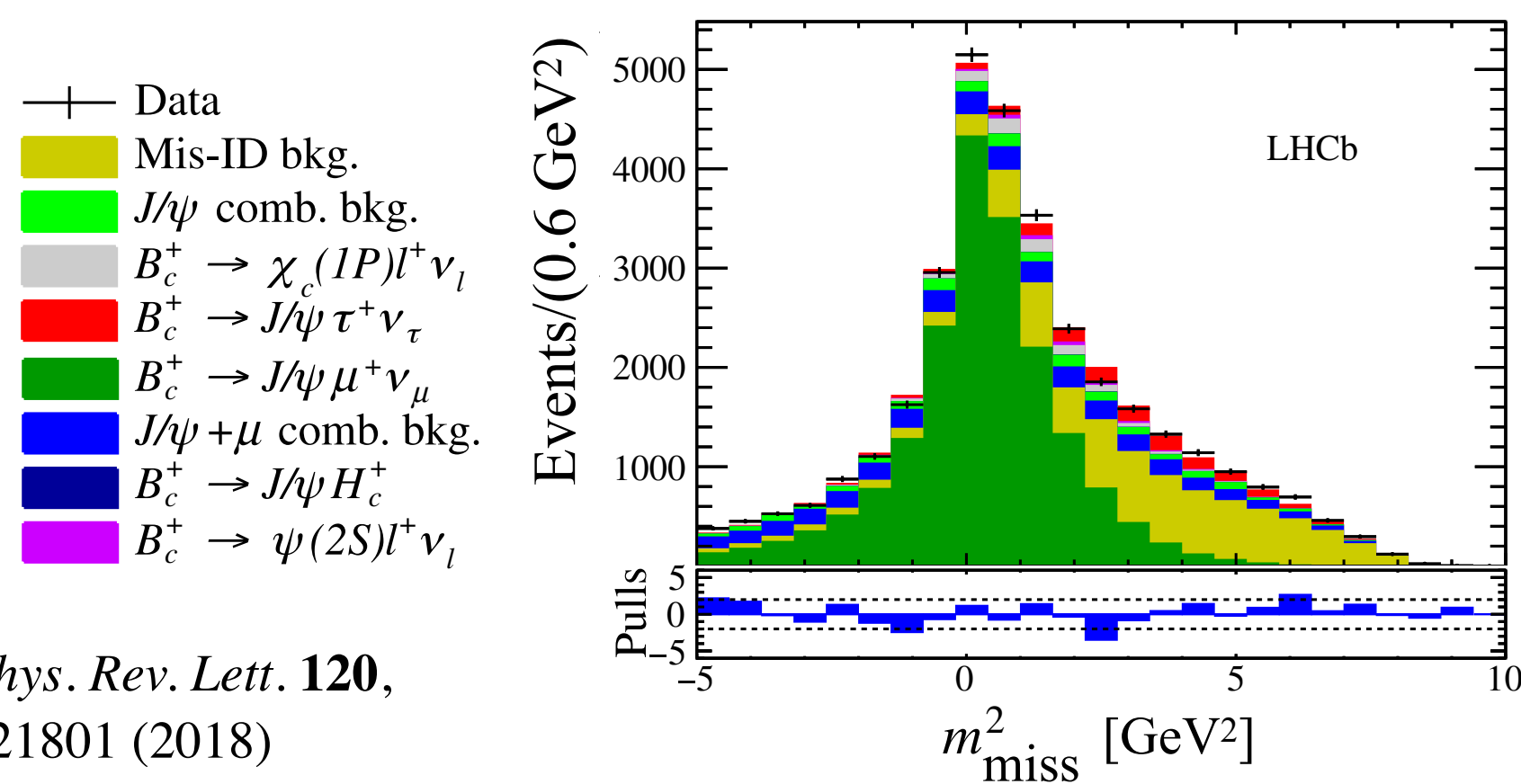
**LQCD calculation already helps**

*Hopefully will scale with data*

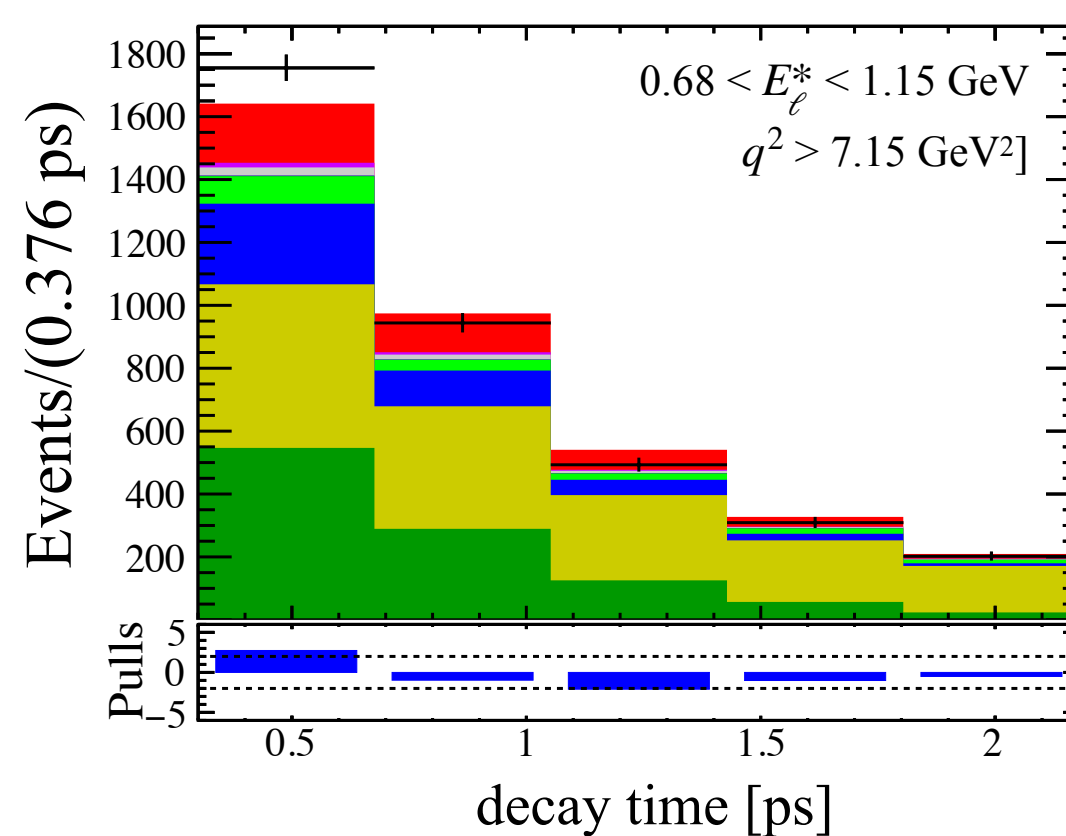
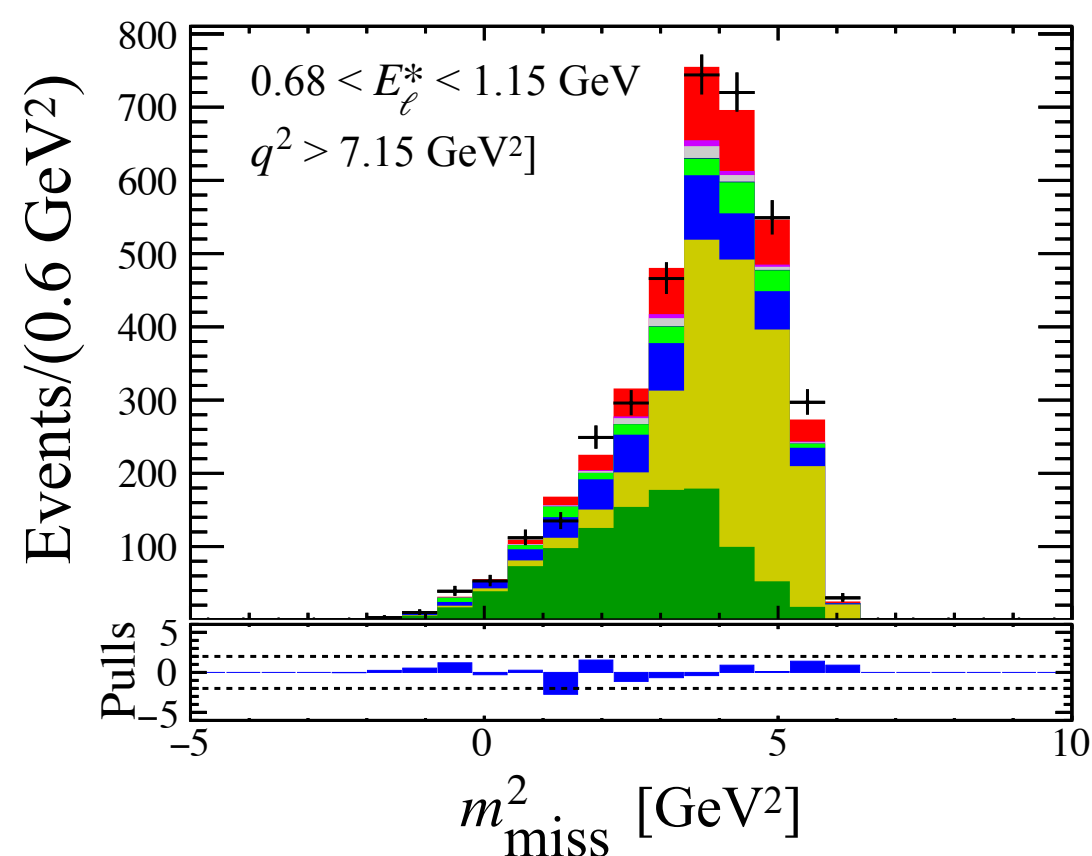
Will come down with more robust fit

**Primarily data driven**

Expect a larger  
**1-5% floor** from  
difficulty of  
measuring FFs



*Phys. Rev. Lett.* **120**,  
121801 (2018)



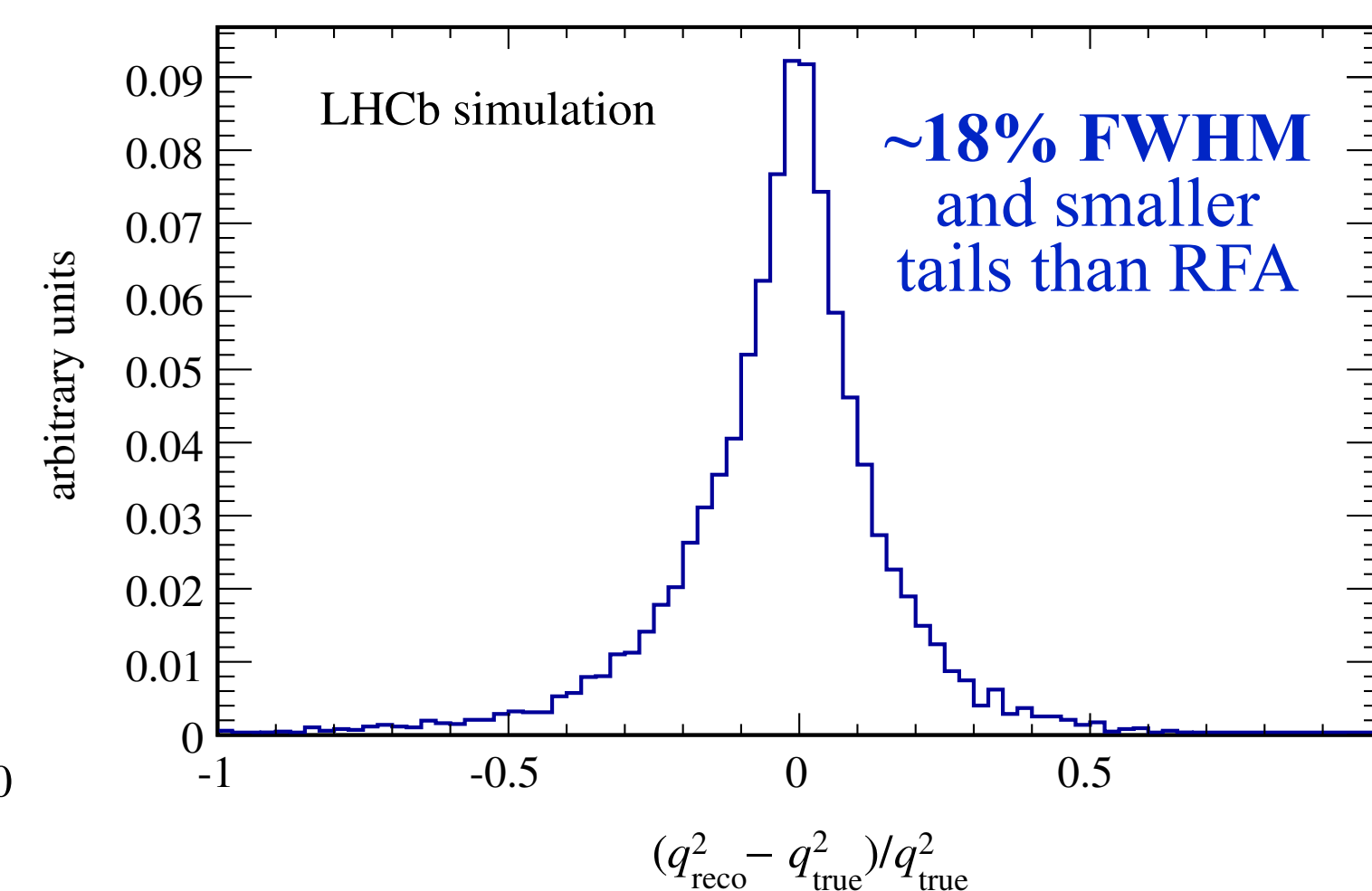
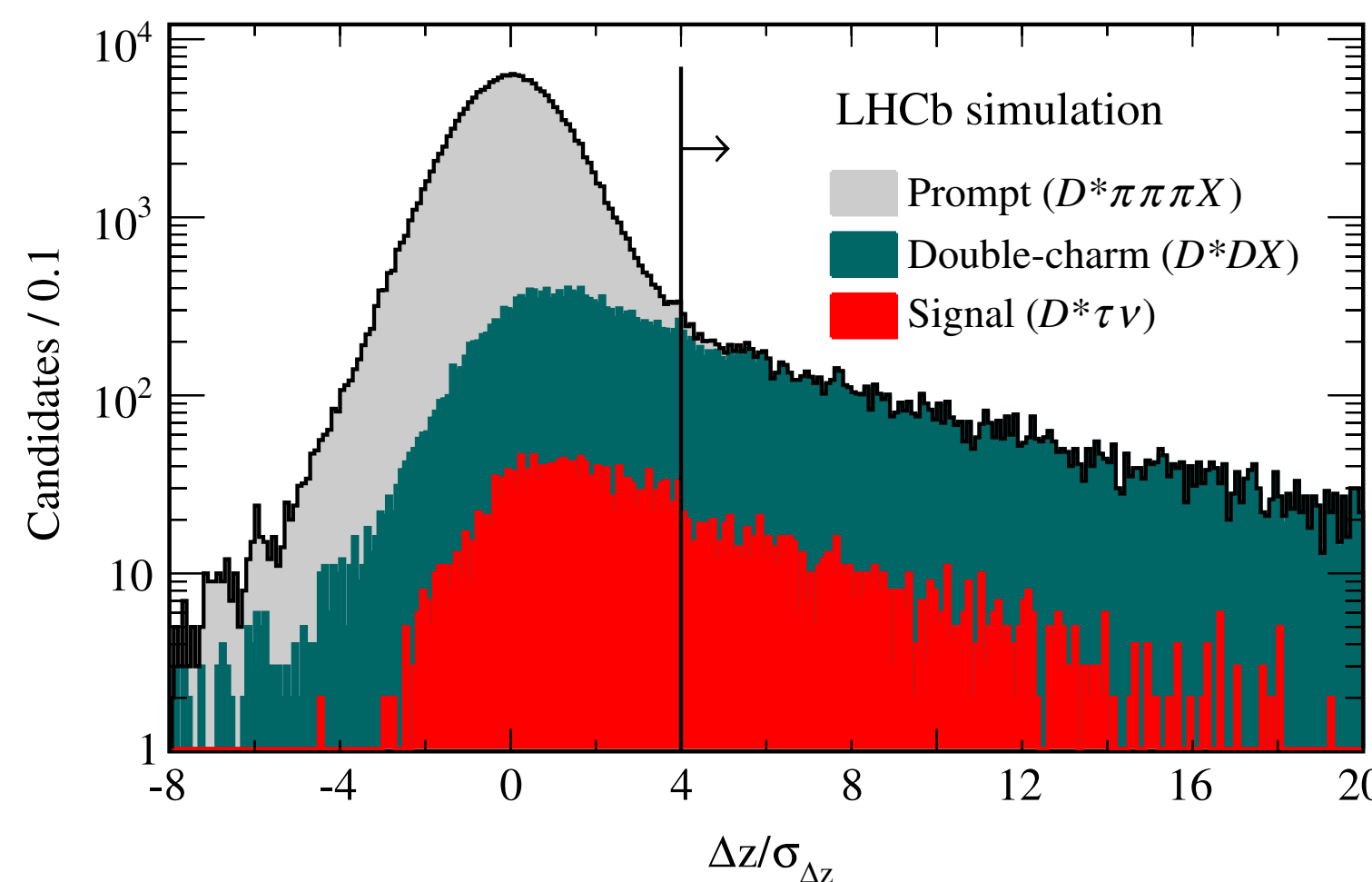
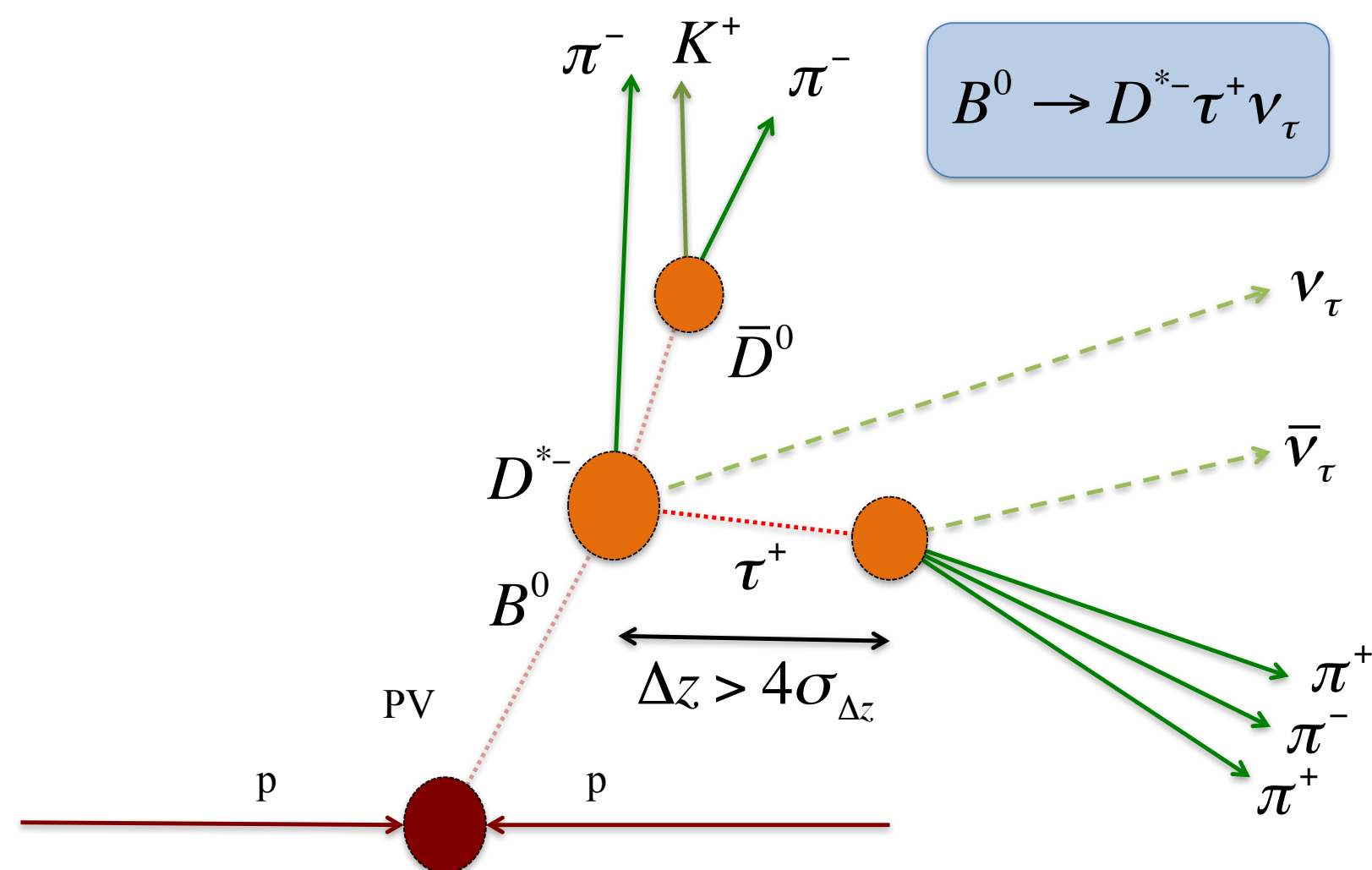
Contribution	Uncert. [%]
Signal/norm. FFs	17.0
Simulated sample size	11.3
Fit model	11.2
Misidentified $\mu$ bkg.	7.9
Partial $B_c$ bkg.	6.9
Combinatorial bkg.	6.5
$\epsilon_{\text{sig}}/\epsilon_{\text{norm}}$	0.9
<b>Total systematic</b>	<b>25.4</b>
<b>Total statistical</b>	<b>23.9</b>
<b>Total</b>	<b>34.9</b>



# Hadronic\* $\mathcal{R}(D^{*+})$

- ~ Leverages **additional vertex** when  $\tau^- \rightarrow \pi^- \pi^+ \pi^- (\pi^0) \nu_\tau$  is used
- Main background prompt  $B \rightarrow D^* \pi \pi \pi X$  reduced by  $10^4$  with  $\tau$  flight distance
- Better  $q^2$  and  $m_{miss}^2$  resolution thanks to more precise determination of B momentum

*Phys. Rev. D* **97**,  
072013 (2018)



$$\mathcal{R}(D^*) = \frac{\mathcal{B}(\bar{B} \rightarrow D^* \tau \nu_\tau)}{\mathcal{B}(\bar{B} \rightarrow D^* \pi \pi \pi)} \times \frac{\mathcal{B}(\bar{B} \rightarrow D^* \pi \pi \pi)}{\mathcal{B}(\bar{B} \rightarrow D^* \mu \nu_\mu)}$$

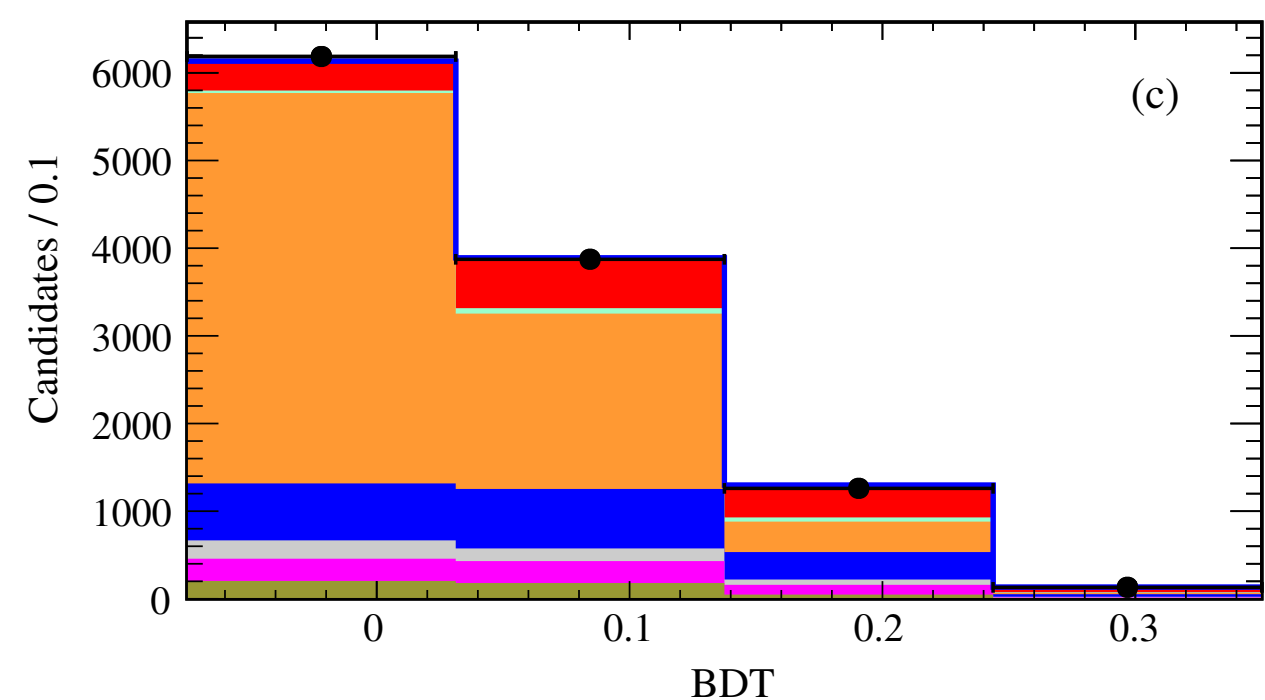
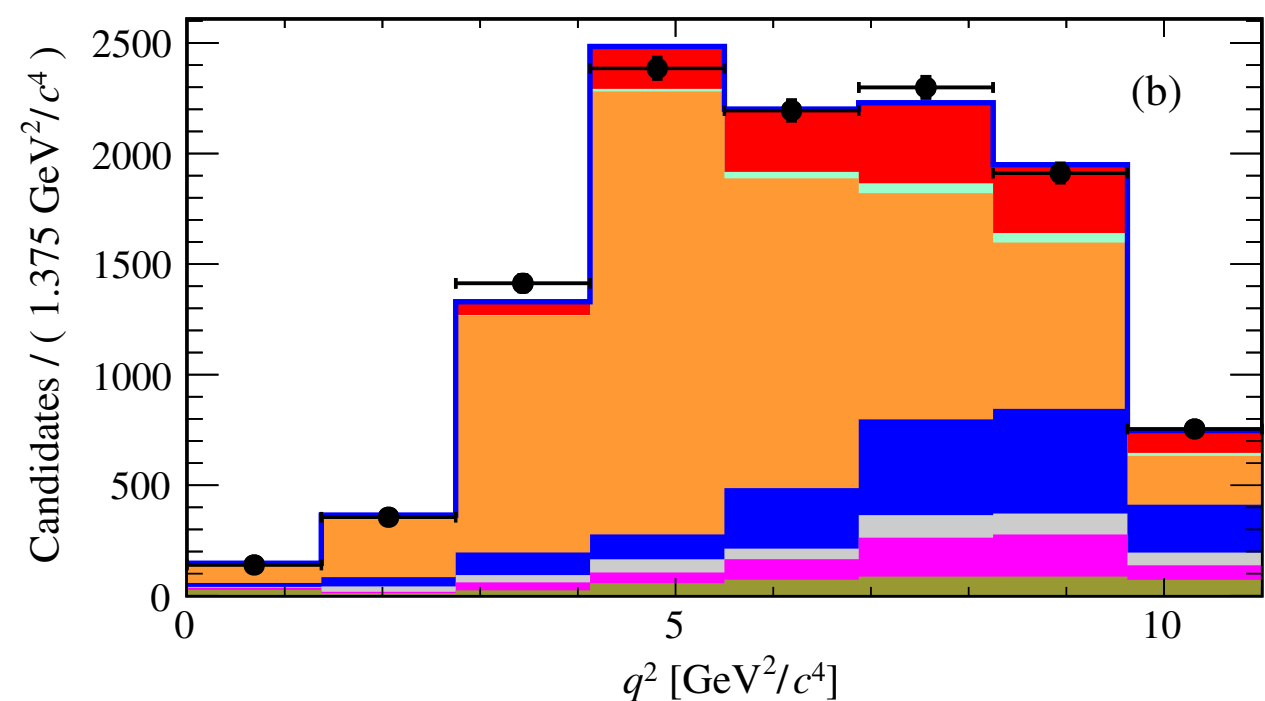
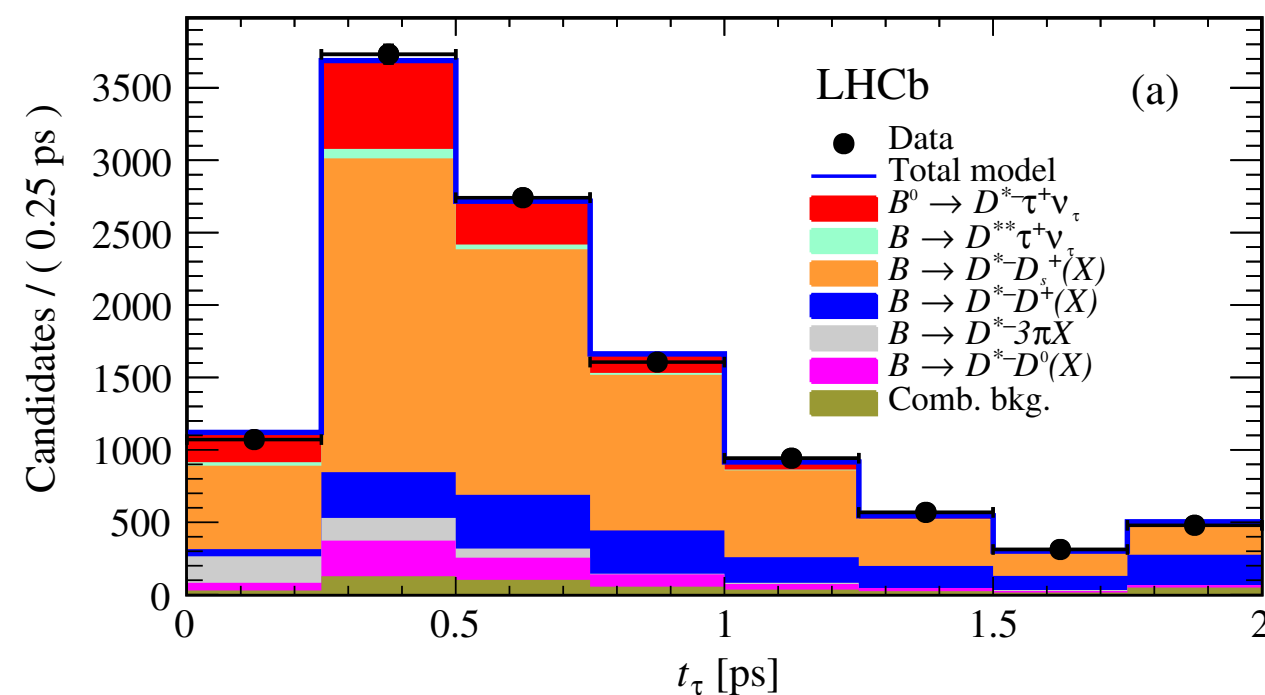
Measure this ratio

$\mathcal{R}(D^{*+})$  depends on external branching fractions

\*Actually, the  $\tau^- \rightarrow \pi^+ \pi^- \pi^- \nu_\tau$  decay is semileptonic



# Hadronic\* $\mathcal{R}(D^{*+})$ systematics



~ Similarly to previous measurements, **many systematic uncertainties are expected to scale down with data**

~ However, a **floor of ~3-4% is more likely due to dependence from external branching fraction measurements**

*Phys. Rev. D* **97**,  
072013 (2018)

Contribution	Uncert. [%]
$DD$ bkg.	5.4
Simulated sample size	4.9
MC/data correction	3.7
$\bar{B} \rightarrow D^{**}(\ell^-/\tau^-)\bar{\nu}$ bkg.	2.7
Trigger	1.6
PID	1.3
Signal/norm. FFs	1.2
Combinatorial bkg.	0.7
$\tau$ decay	0.4
<b>Total systematic</b>	<b>9.0</b>
$\mathcal{B}(B \rightarrow D^* \pi \pi \pi)$	3.9
$\mathcal{B}(B \rightarrow D^* \mu \nu)$	2.0
$\mathcal{B}(\tau^+ \rightarrow 3\pi \nu)/\mathcal{B}(\tau^+ \rightarrow 3\pi \pi^0 \nu)$	0.7
<b>Total external</b>	<b>4.4</b>
<b>Total statistical</b>	<b>6.5</b>
<b>Total</b>	<b>12.0</b>

\*Actually, the  $\tau^- \rightarrow \pi^+ \pi^- \pi^- \nu_\tau$  decay is semileptonic



~ Run 1 measurements show key features of future LHCb LUV possibilities

→ Dominated by systematics, but will scale with data for the most part

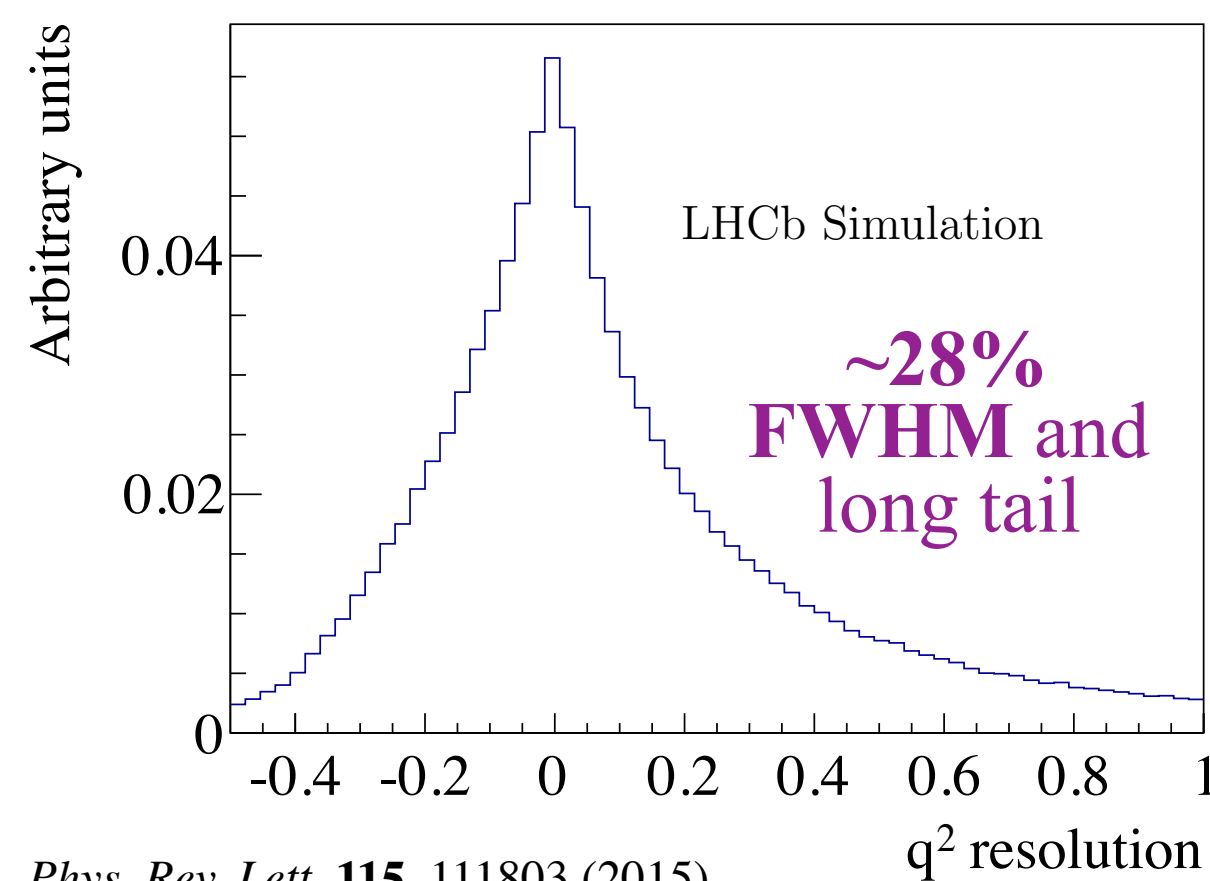
Note that the majority of the uncertainty does not scale with central value

Muonic $\mathcal{R}(D^{*+})$	Uncert. [%]
<b>Total systematic</b>	<b>8.9</b>
<b>Total statistical</b>	<b>8.0</b>
<b>Total</b>	<b>12.0</b>

Systematics floor probably 0.5-3%

Muonic $\mathcal{R}(J/\Psi)$	Uncert. [%]
<b>Total systematic</b>	<b>25.4</b>
<b>Total statistical</b>	<b>23.9</b>
<b>Total</b>	<b>34.9</b>

Systematics floor 1-5% due to FFs

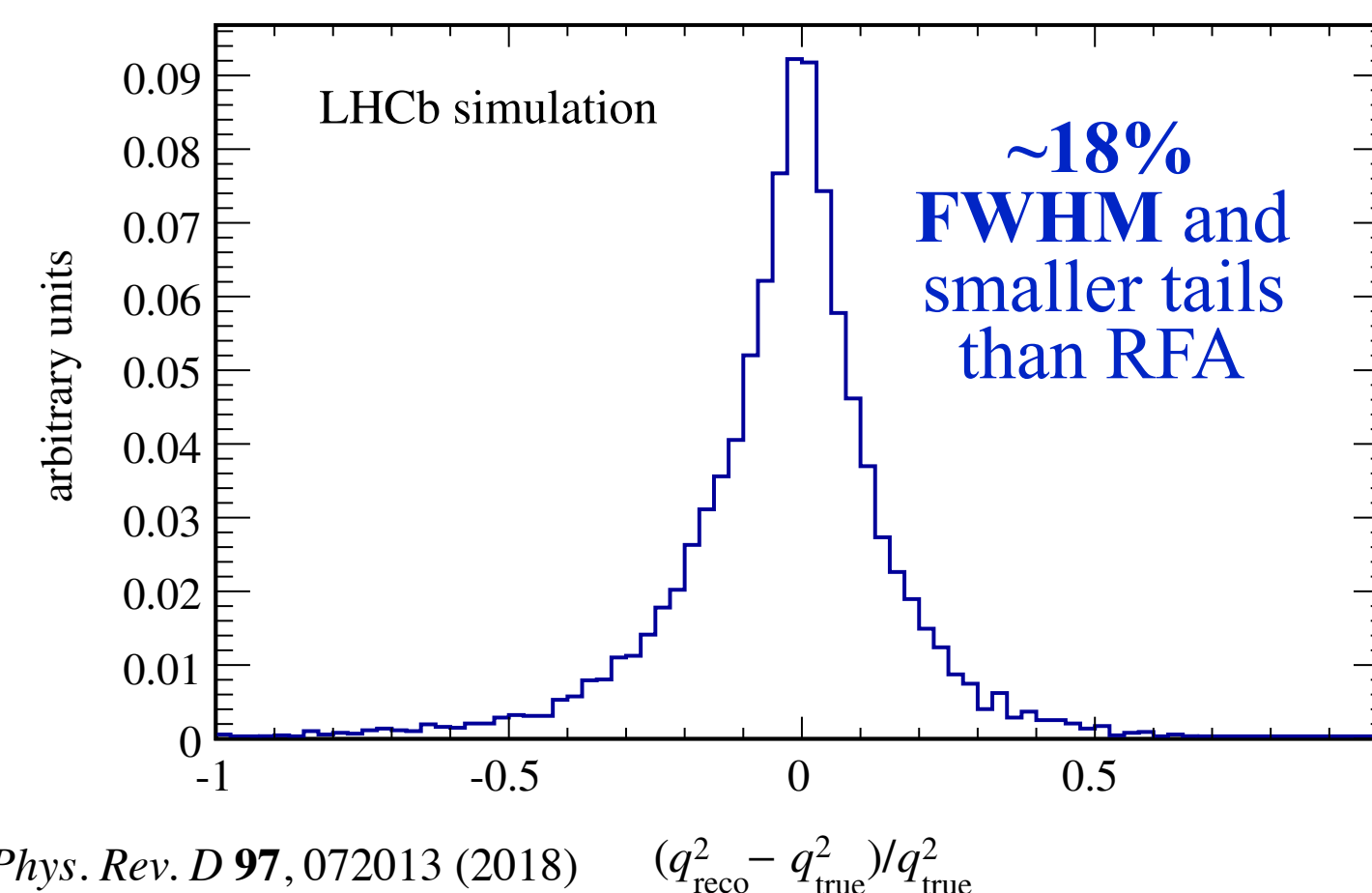


Phys. Rev. Lett. **115**, 111803 (2015)

**Muonic** decays of  $\tau$  allow for **precise determinations** of  $\mathcal{R}(X_c)$  at higher stats

Hadronic $\mathcal{R}(D^{*+})$	Uncert. [%]
<b>Total systematic</b>	<b>9.0</b>
<b>Total external</b>	<b>4.4</b>
<b>Total statistical</b>	<b>6.5</b>
<b>Total</b>	<b>12.0</b>

Systematics floor 3-4% due to  $BF_{\text{ext}}$



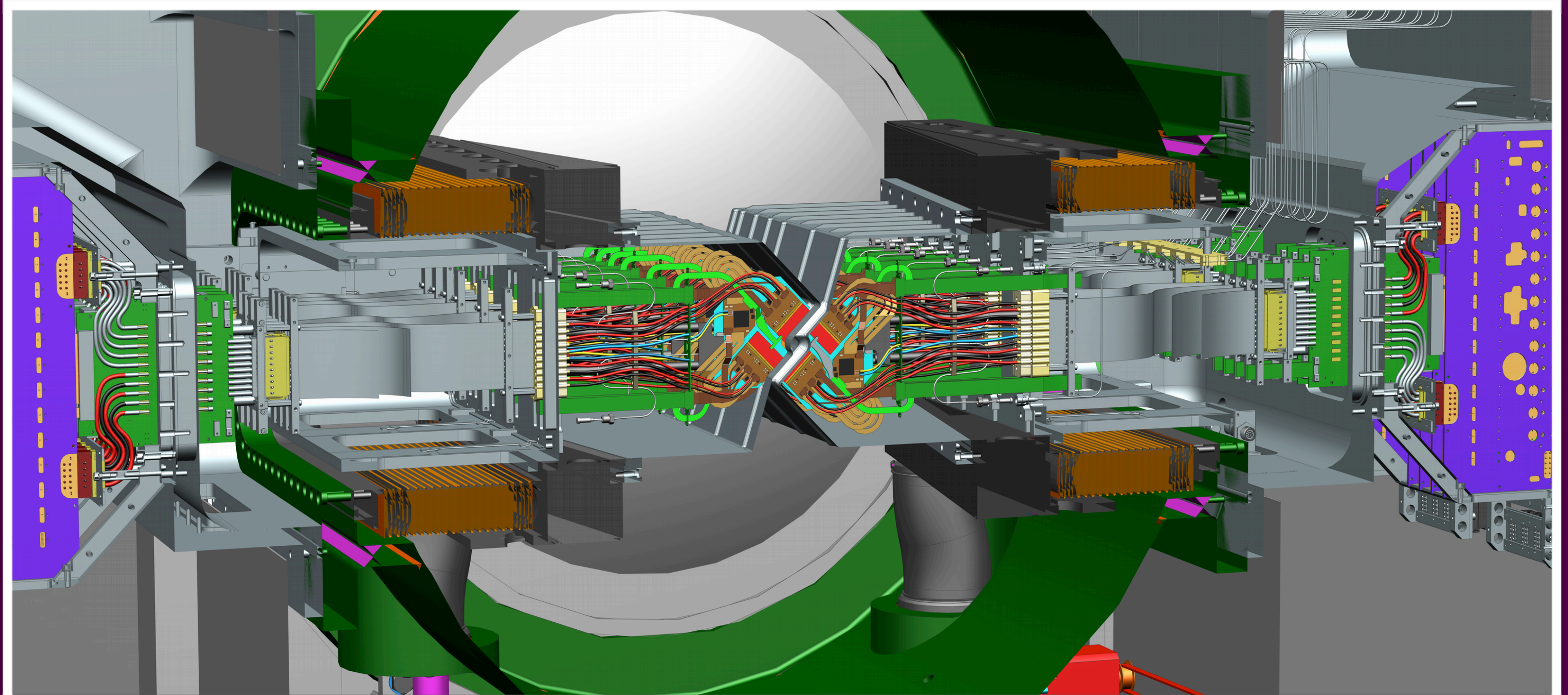
Phys. Rev. D **97**, 072013 (2018)

$\mathcal{R}(X_c)$  precision with **hadronic** decays of  $\tau$  may be limited by external measurements

But may allow for **better measurements** of **kinematic distributions**



# Prospects for charged LUV at LHCb



The new pixel VELO will help a lot!



~ Analyses at an advanced stage

→ Run 1 muonic  $\mathcal{R}(D^0) - \mathcal{R}(D^*)$

→ Hadronic  $\mathcal{R}(D^{**})$

$B^0, B^+$

~ Analyses in early to very early stages primarily using Run 2

→ Run 2 muonic  $\mathcal{R}(D^0) - \mathcal{R}(D^*)$ , muonic  $\mathcal{R}(D^+) - \mathcal{R}(D^{*+})$

→ Run 2 hadronic  $\mathcal{R}(D^{*+})$ , hadronic  $\mathcal{R}(D^0) - \mathcal{R}(D^*)$ , hadronic  $\mathcal{R}(D^+) - \mathcal{R}(D^{*+})$

→ Muonic  $\mathcal{R}(p\bar{p})$

→ Hadronic  $B \rightarrow D^{*+}\tau\nu$  polarization of  $D^*$  and  $\tau$

→ Muonic  $B \rightarrow D^{*+}\tau\nu$  angular distributions

→  $\mathcal{R}(D^{*+})_{light}$

→ Muonic  $\mathcal{R}(D_s) - \mathcal{R}(D_s^*)$ , hadronic  $\mathcal{R}(D_s) - \mathcal{R}(D_s^*)$

→ Run 2 muonic  $\mathcal{R}(J/\Psi)$ , hadronic  $\mathcal{R}(J/\Psi)$

→ Muonic  $\mathcal{R}(\Lambda_c)$ , hadronic  $\mathcal{R}(\Lambda_c)$

$B_s^0$

$B_c^+$

$\Lambda_b^0$

Some of these may take several years, but **aim to cover as many observables as possible**



Run 1		LS1		Run 2				LS2			Run 3			LS3			Run 4			LS4	Run 5			LS5	Run 6		fb <sup>-1</sup>
2011	2012	2013	2014	2015	2016	2017	2018	2019	2020	2021	2022	2023	2024	2025	2026	2027	2028	2029	2030	2031	2032	2033	2034	2035	2036	2037	
1.1	2.0	-	-	0.3	1.7	1.7	2.2	-	-	-	8.3	8.3	8.3	-	-	-	8.3	8.3	8.3	-	50	50	50	-	50	50	

fb<sup>-1</sup>

~ **Extrapolate  $\mathcal{R}(D^*)$**  based on Run 1 muonic  $\mathcal{R}(D^{*+})$  **assuming**

- **2×** more stats starting in **Run 1** from **adding  $\mathcal{R}(D^{*0})$**
- **3×** more stats starting in **Run 2** from **better HLT (1.5×** and **cross section (2×**
- **2×** more stats starting in **Run 3** from **no hardware trigger**
- **Systematics scale with data** but **floor** of **0.5%** (optimistic) and **3%** (pessimistic)

~ **Extrapolate  $\mathcal{R}(J/\Psi)$**  based on Run 1 muonic  $\mathcal{R}(J/\Psi)$

- **Systematics scale with data** but **floor** of **1%** (optimistic) and **5%** (pessimistic)

~ Estimate the other species based on  $\mathcal{R}(D^*)$  extrapolation and

- **1/4×** stats for  $\mathcal{R}(D)$  from smaller BF and no feed-down
- **1/16×** stats for  $\mathcal{R}(D_s^{(*)})$  from  $f_s/(f_u + f_d)$  and extra track (1/2×
- **1/6×** stats for  $\mathcal{R}(\Lambda_c)$  from  $f_{\Lambda_b}/(f_u + f_d) \sim 1/4$ , extra track (1/2×), and larger  $\Lambda_c$  BF
- **1/20×** stats for  $\mathcal{R}(\Lambda_c^*)$  from  $f_{\Lambda_b}/(f_u + f_d) \sim 1/4$ , two slow pions and lower BF
- **Systematics scale with data** but **floor** of **1%** (optimistic) and **5%** (pessimistic) but for  $\mathcal{R}(D)$  same as  $\mathcal{R}(D^*)$

## Rough assumptions

based on BFs and fragmentation fractions and building on [work from Patrick Owen](#)



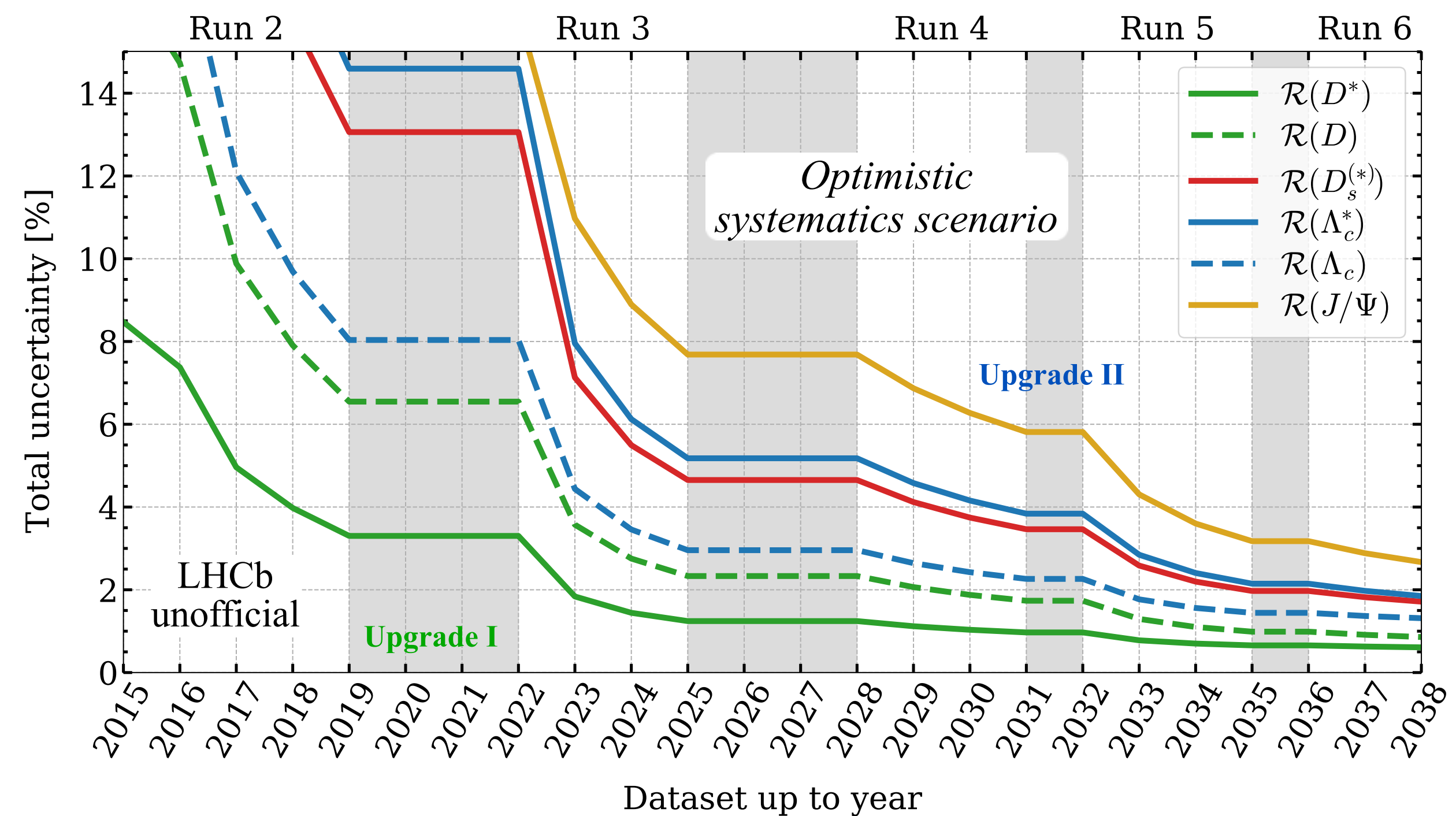
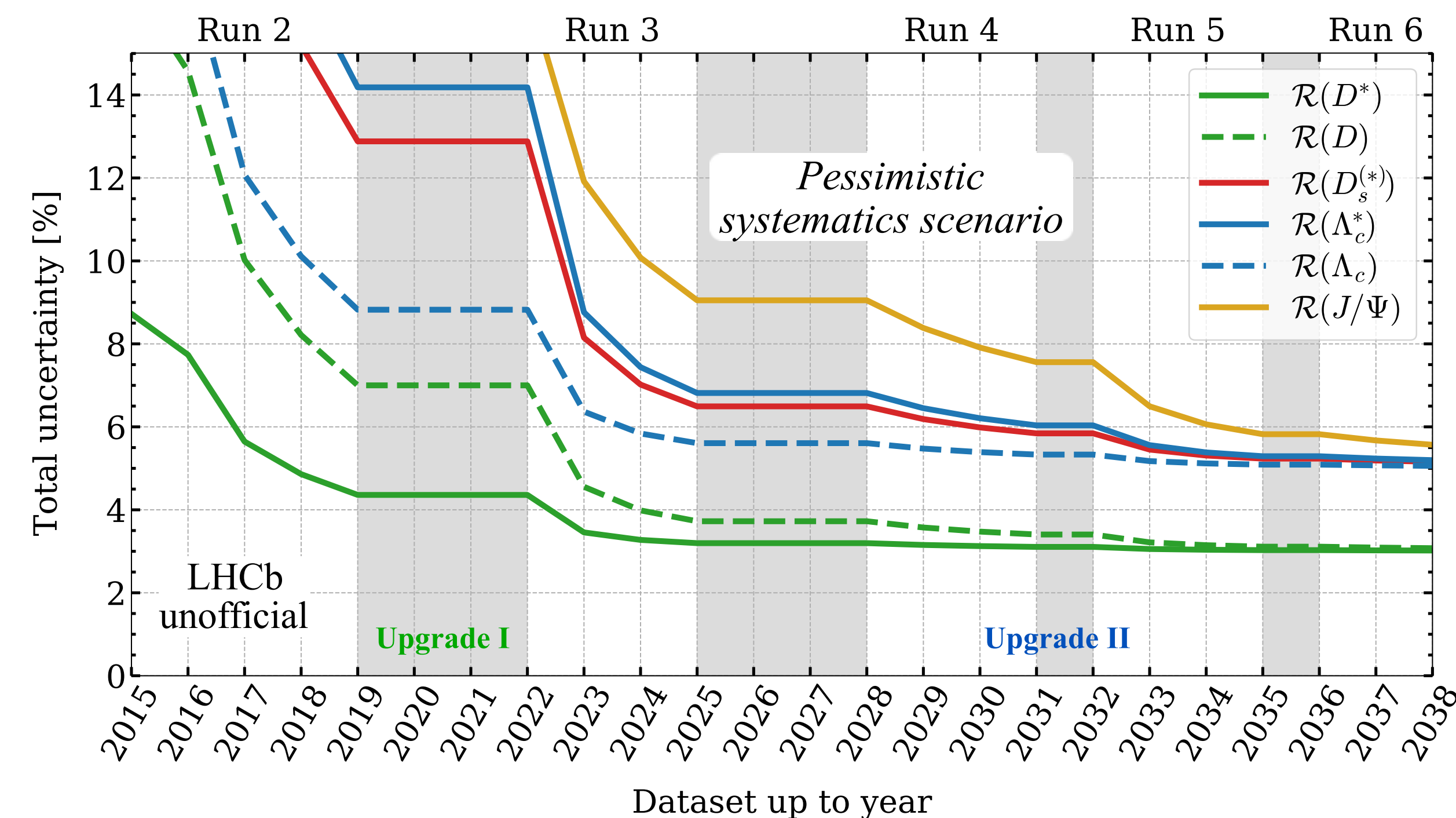
# Prospects for $\mathcal{R}(X_c)$

~ **Enormous improvement from Upgrade I (Runs 3+4)**

→ 50 fb<sup>-1</sup> plus factor of two from no hardware trigger

~ **After Upgrade II (Runs 5+6) it depends on systematics scenario**

→ **Significant gains** for  $\mathcal{R}(J/\Psi)$ ,  $\mathcal{R}(D_s^{(*)})$ , and  $\mathcal{R}(\Lambda_c^*)$  if we can control FF systematics

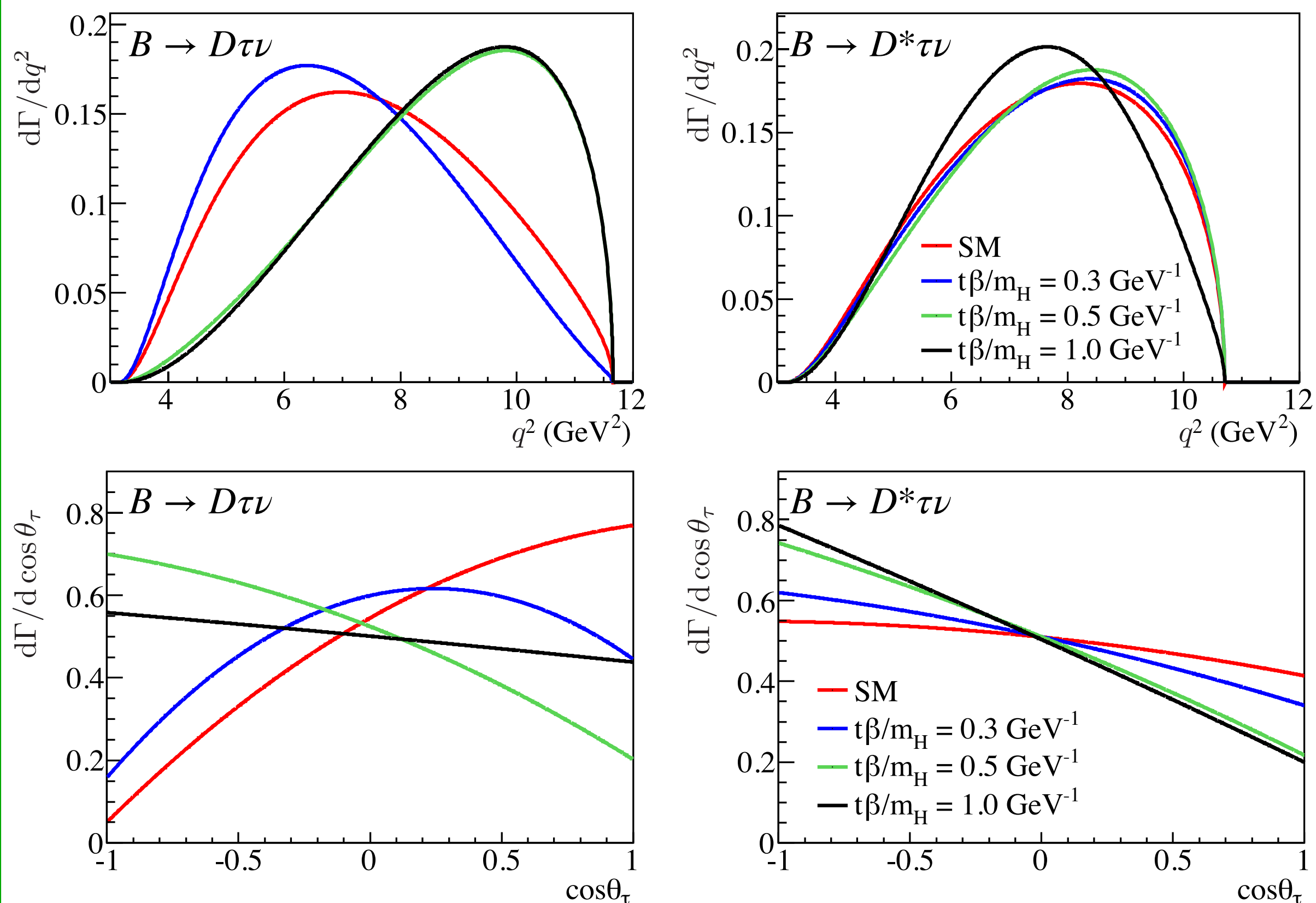




- ~ Upgrades give **access kinematic distributions sensitive to NP**
  - Instrumental in characterizing any anomaly
  - Unique sensitivity to  $B_s \rightarrow D_s^{(*)}\tau\nu$ ,  $B_c \rightarrow J/\Psi\tau\nu$ , and  $\Lambda_b \rightarrow \Lambda_c\tau\nu$  (see following talk by A. Datta)

MFS "Evidence for an excess of  $B \rightarrow D^{*+}\tau\nu$  decays" Dissertation, Stanford University (2012)

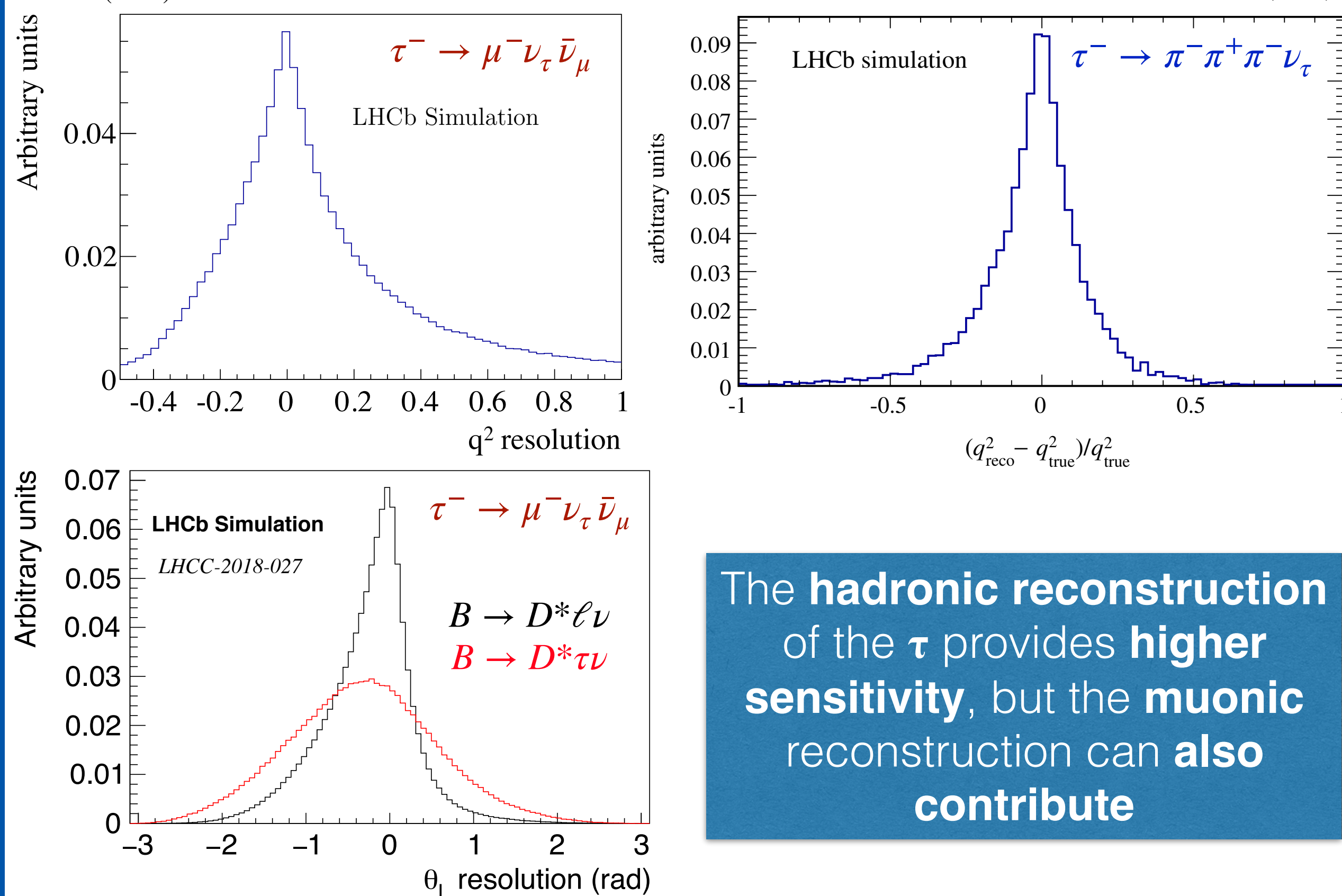
## Impact of 2HDM on $q^2$ and $\theta_\tau = \pi - \theta_L$



Phys. Rev. Lett. **115**, 111803 (2015)

## LHCb resolution on $q^2$ and $\theta_L$

Phys. Rev. D **97**, 072013 (2018)

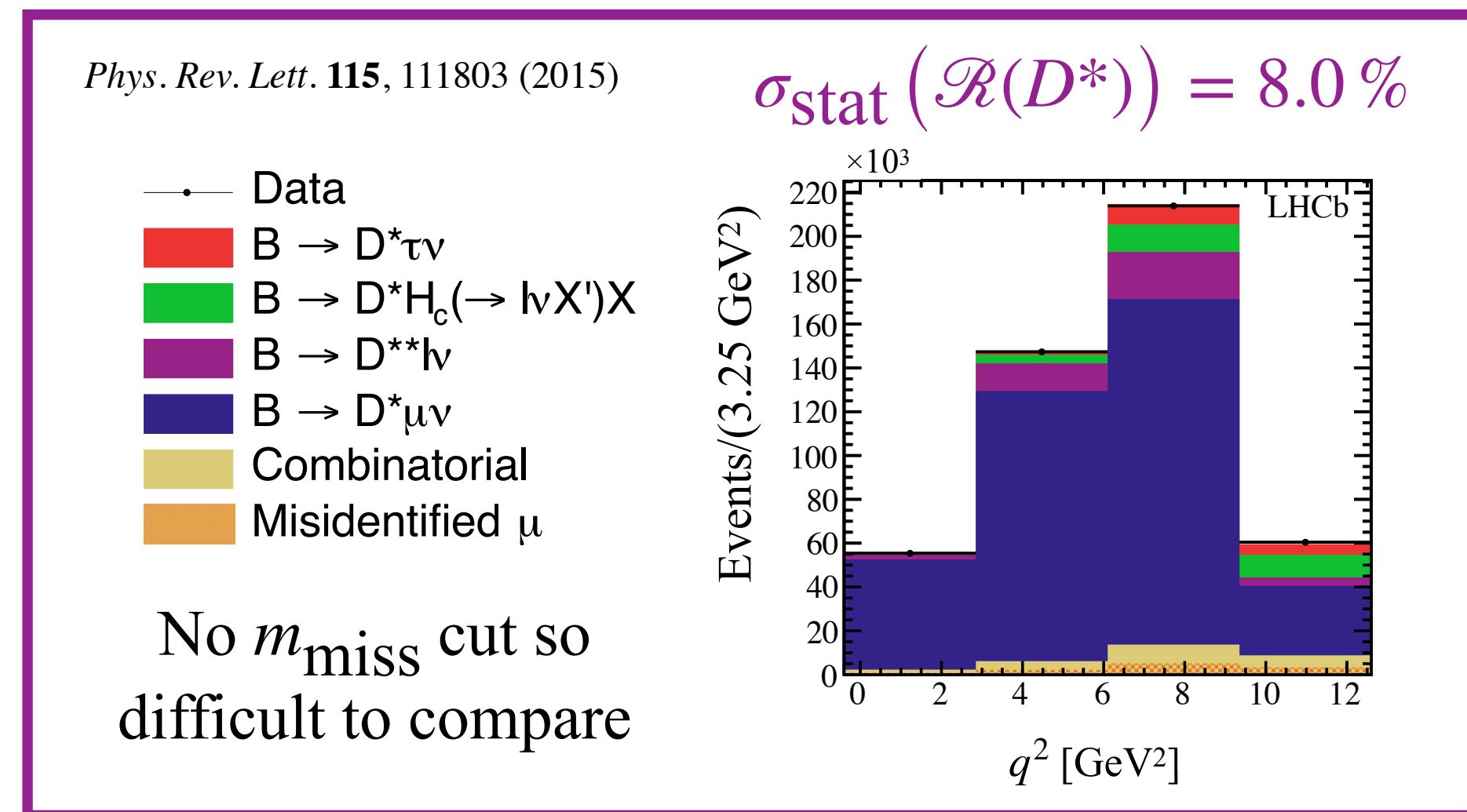
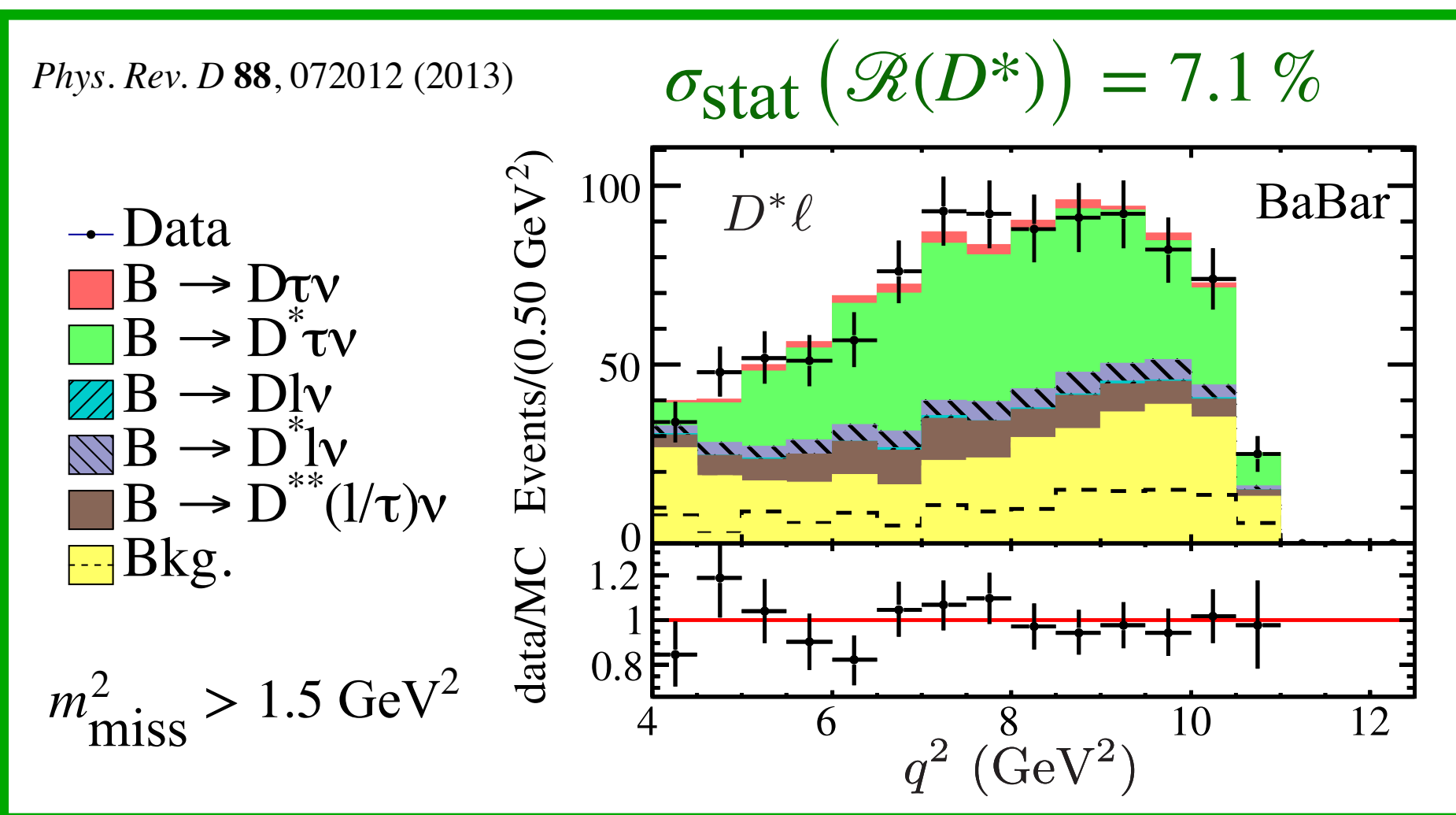


The **hadronic reconstruction** of the  $\tau$  provides **higher sensitivity**, but the **muonic reconstruction** can **also contribute**

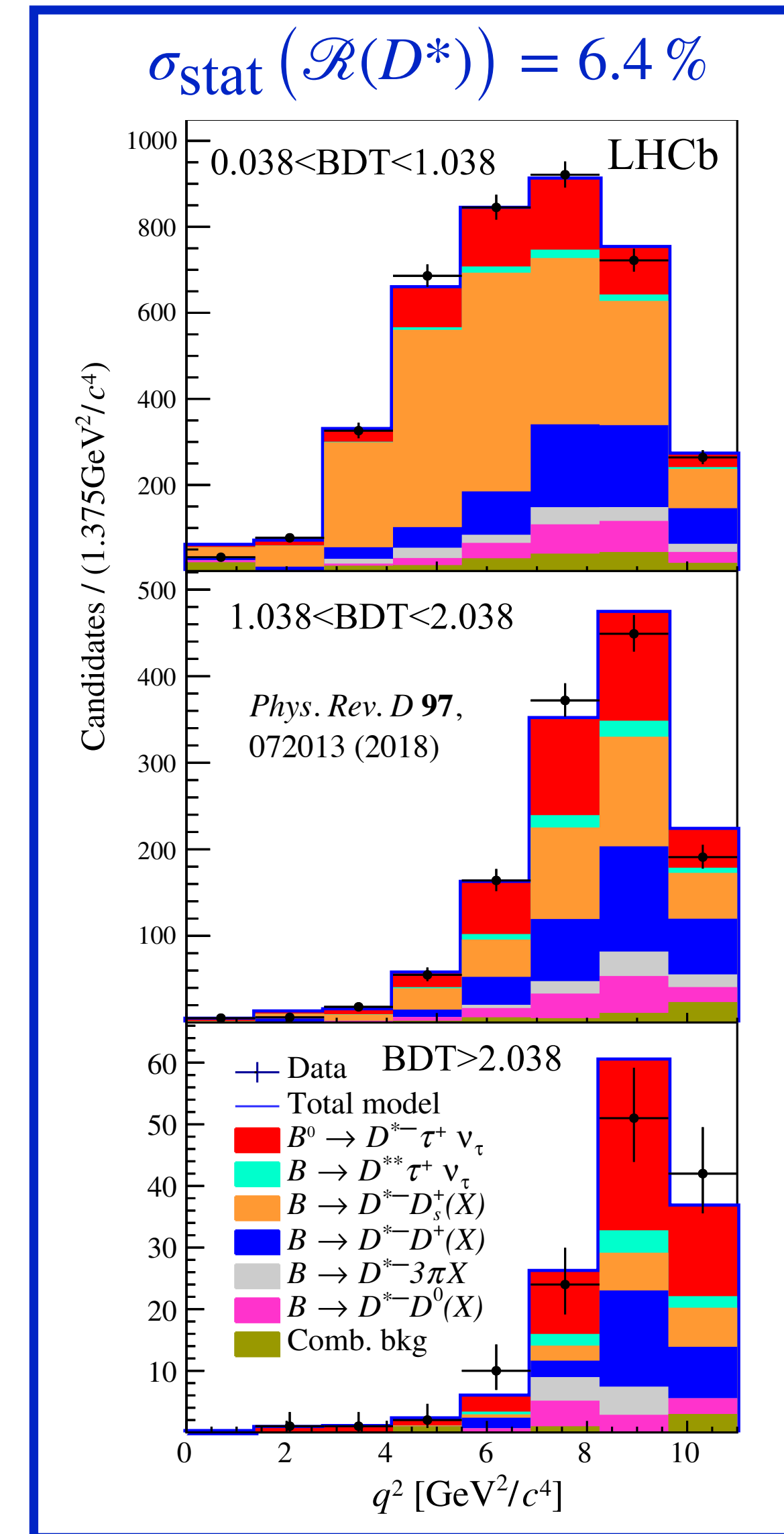


~ Larger backgrounds and lack of full event reconstruction make distributions **challenging**

→ Upgrade 2 samples may allow for techniques such as  $B_{s2}^* \rightarrow B^+ K^-$  tagging



~ Run 1 hadronic measurement already shows some sensitivity to  $q^2$  distribution



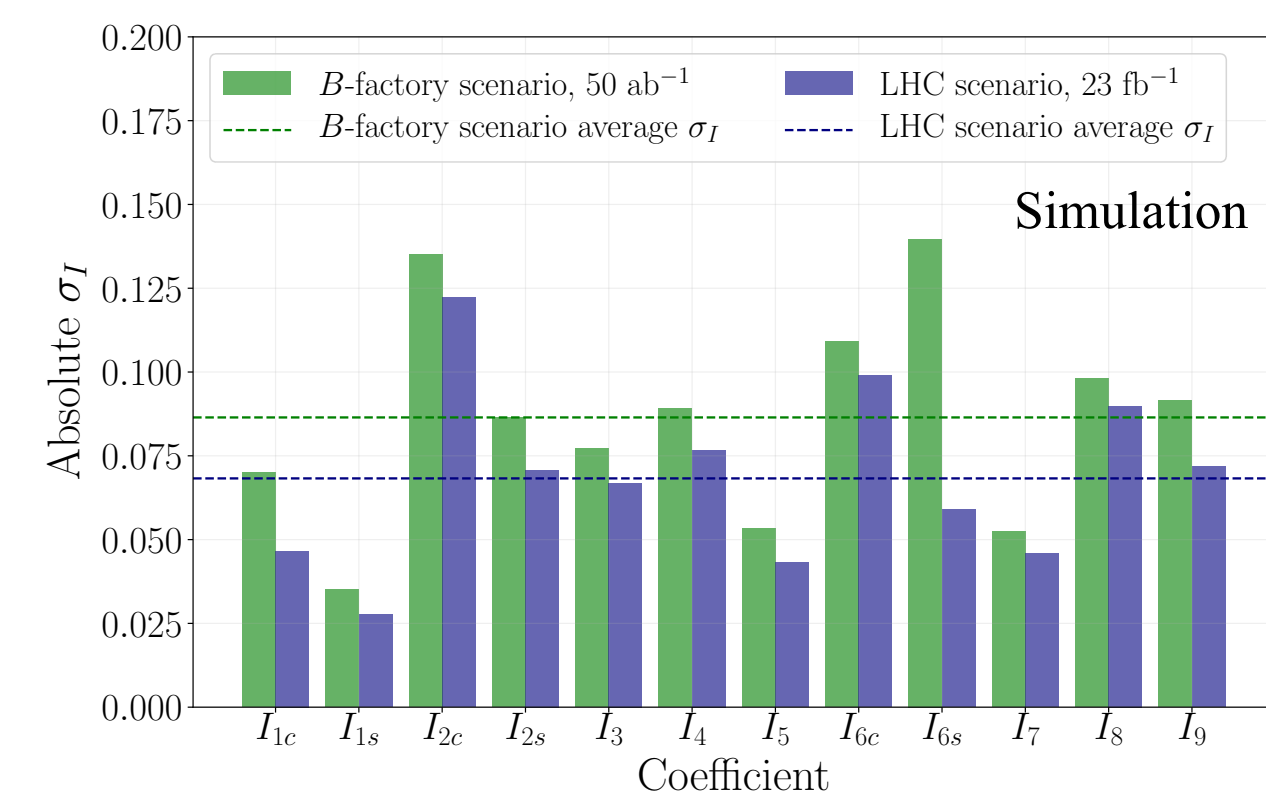
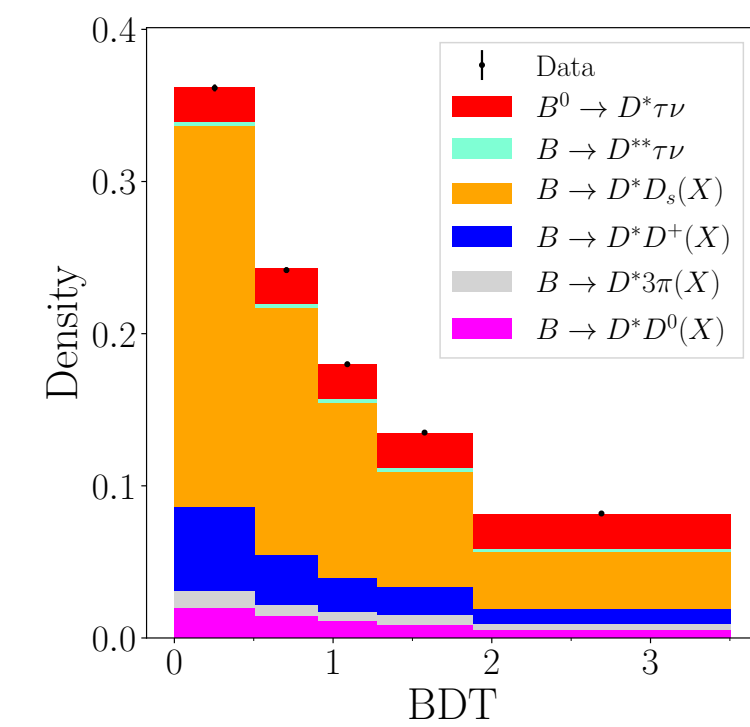
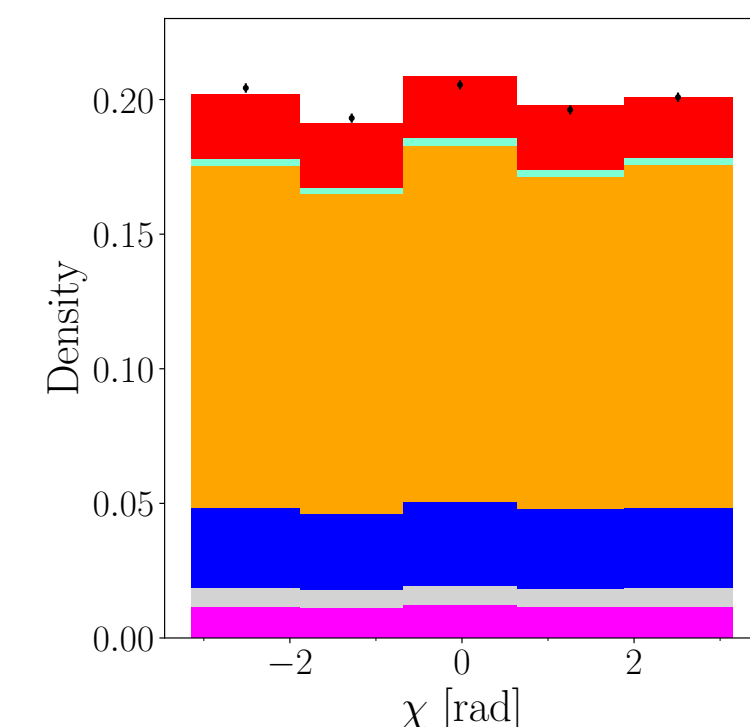
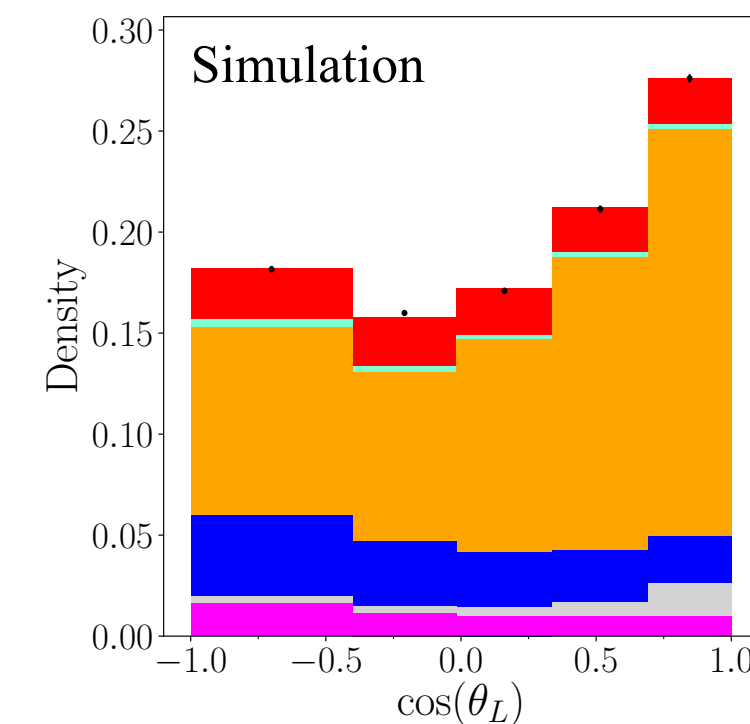
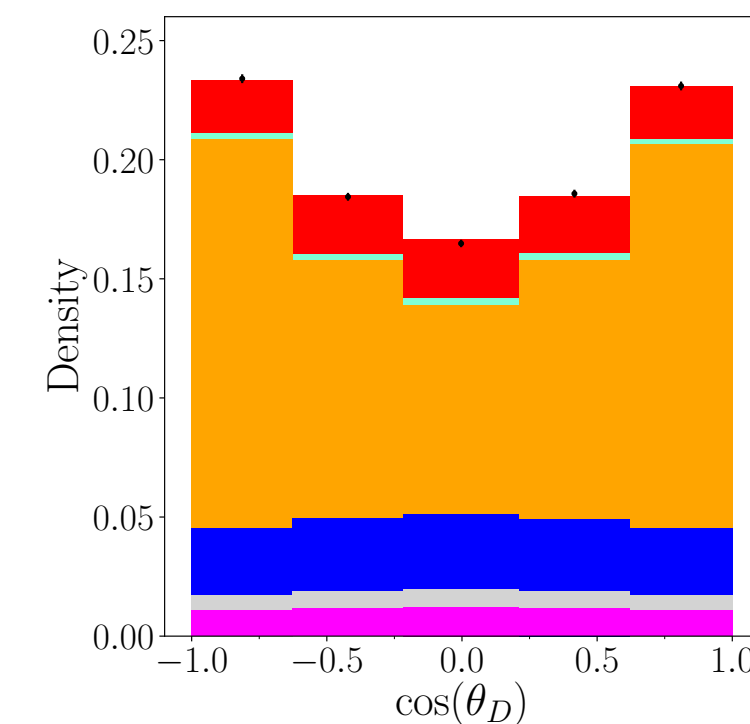
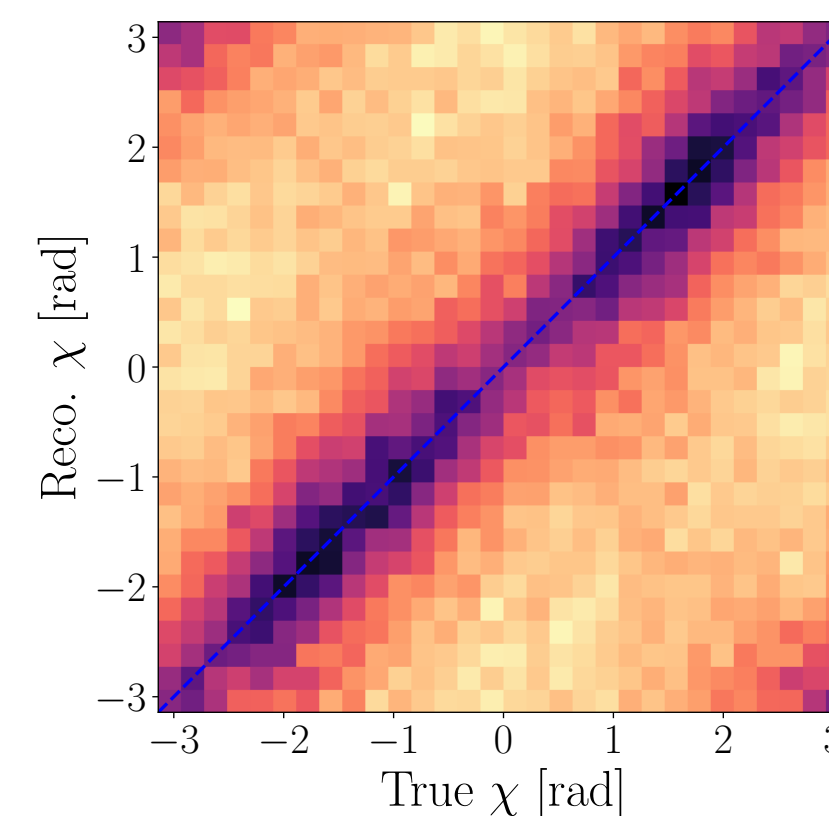
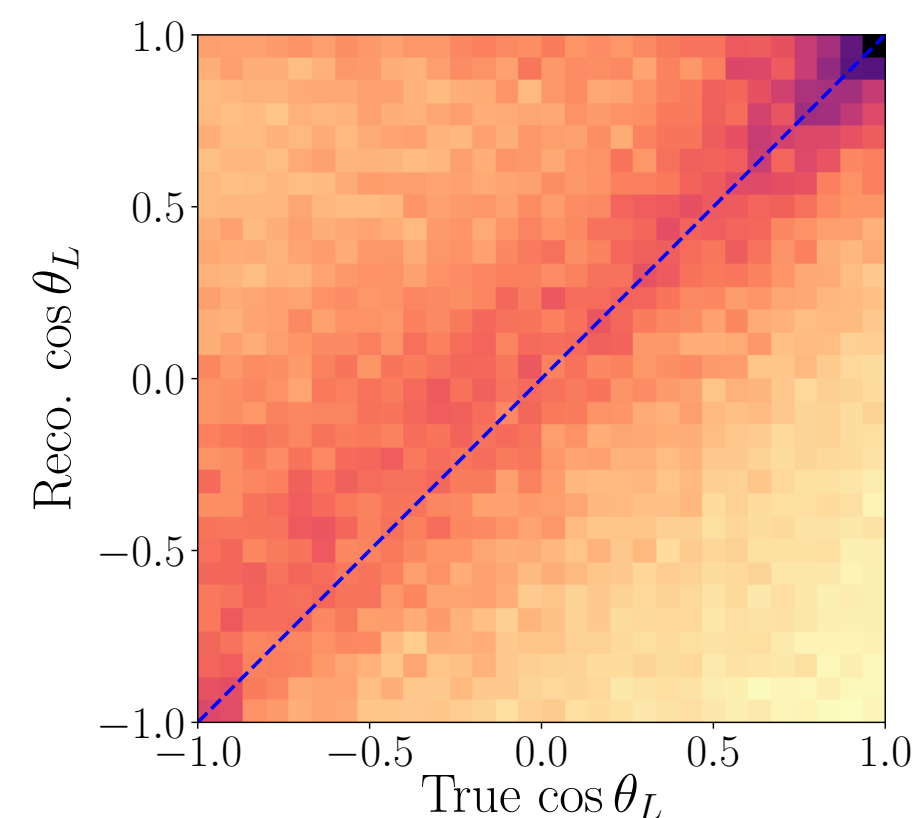
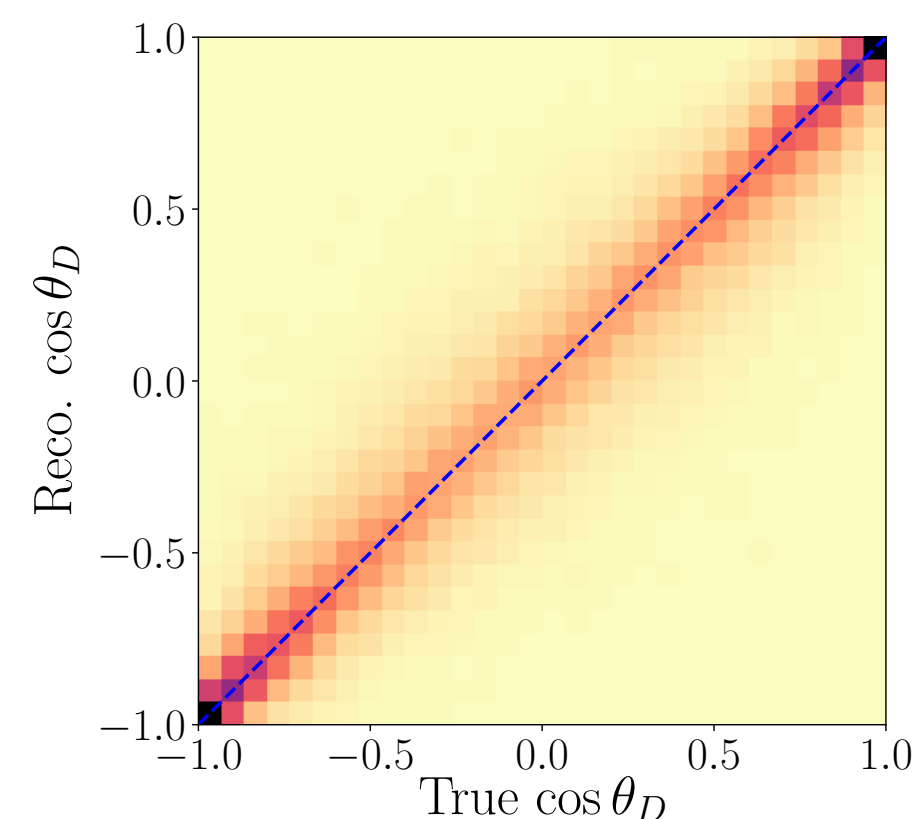
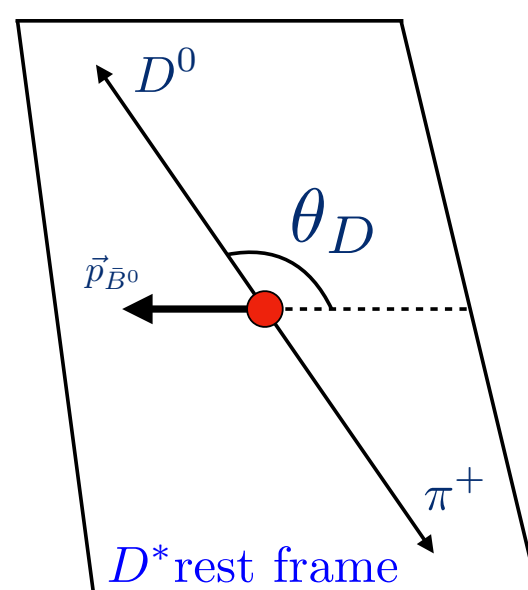
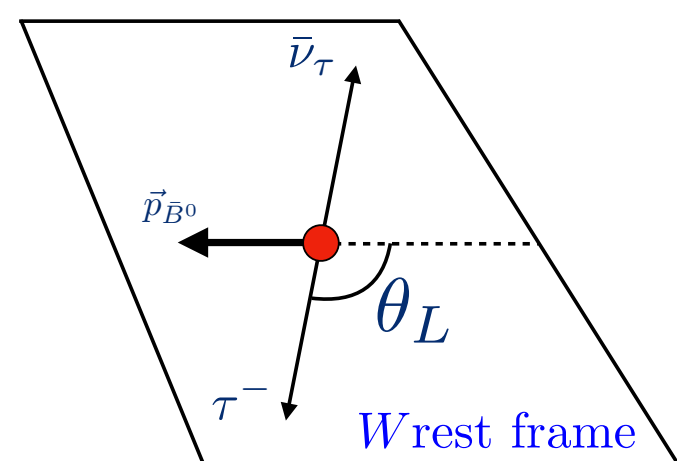
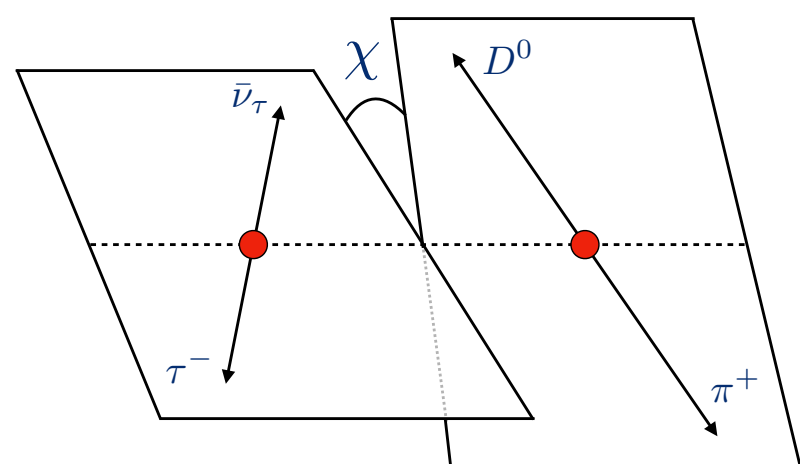


~ Hadronic analyses expected to have good angular sensitivity

→ Hill, John, Ke, Poluektov, *JHEP* **2019**, 133 (2019) 1908.04643

$$\frac{d^4\Gamma}{dq^2 d(\cos\theta_D) d(\cos\theta_L) d\chi} \propto I_{1c} \cos^2 \theta_D + I_{1s} \sin^2 \theta_D$$

$$\begin{aligned} &+ [I_{2c} \cos^2 \theta_D + I_{2s} \sin^2 \theta_D] \cos 2\theta_L \\ &+ [I_{6c} \cos^2 \theta_D + I_{6s} \sin^2 \theta_D] \cos \theta_L \\ &+ [I_3 \cos 2\chi + I_9 \sin 2\chi] \sin^2 \theta_L \sin^2 \theta_D \\ &+ [I_4 \cos \chi + I_8 \sin \chi] \sin 2\theta_L \sin 2\theta_D \\ &+ [I_5 \cos \chi + I_7 \sin \chi] \sin \theta_L \sin 2\theta_D, \end{aligned}$$





# Summary



~ LHCb has a **unique ability** to study  $b \rightarrow c\tau\nu$  transitions

→  $\mathcal{R}(D^{(*)})$ ,  $\mathcal{R}(D^{**})$ ,  $\mathcal{R}(D_s^{(*)})$ ,  $\mathcal{R}(J/\Psi)$ ,  $\mathcal{R}(\Lambda_c^{(*)})$  with muonic analyses

→ Kinematic distributions with hadronic analyses

~ **Upgrade I** will allow us to reach 1-6% uncertainties

~ **Upgrade II** would reduce some uncertainties 2× further

→ Access to important kinematic distributions, key to characterize NP

~ **Challenges** ahead

→ Will need an **order of magnitude more MC** than what FastSim can do today

→ Important to **calculate** and **measure all FF** and **control other systematics**

